On Reducing the Degree of Second-Order Scaling in Network Traffic

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Abstract— **While it is well known that second order scaling in network traffic can leads to larger queueing delays, higher drop rates and extended periods of congestion, reducing the scaling exponents has remained an open problem. In this paper we evaluate some techniques to reduce the degree of scaling in TCP traffic, specifically by reducing two related causes: (1) timeouts and exponential backoffs (2) burstiness and ACK compression. We propose a simple modification to the RED algorithm, and show that it can lead to significant reductions in both multi and mono fractal properties of TCP traffic as compared to the currently implemented active and passive buffer management policies. We then evaluate TCP pacing and show that it too can reduce the multi and mono fractal scaling of traffic. We also show that though our techniques are aimed at small time-scale TCP related causes of scaling, it is also effective in reducing the degree of self-similarity in traffic even when application and user level causes are also present, as long as TCP is used as the underlying transport protocol.**

I. Introduction

It is well known that the scaling, burstiness and long-range dependence associated self-similar and multi-fractal nature of traffic can lead to a number of undesirable effects like high buffer overflow rates, large delays and persistent periods of congestion [1], [2], [11]. The severity of these conditions is dependent on various conditions like the relevant time-scales of the system and system utilization [1]. However, given other factors are constant, the overflow rates are proportional to the degree of self-similarity or the Hurst parameter [9].

Our focus in this paper is to study techniques which reduce the degree of second order scaling in network traffic. The time-scales over which we focus our attentions corresponds from few milli-seconds to 100s of seconds and thus corresponds to the multi-fractal and pseudo self-similar behavior. The underlying idea of the first technique is to reduce the incidence of timeouts and exponential backoff in TCP flows which can cause scaling on finite time-scales as shown in [5], [14]. We do this by looking at existing and also proposing a new buffer management policy to reduce correlated losses (and consequently timeouts) in TCP flows. The second technique is to eliminate the inherent burstiness and back-to-back packet transmissions in TCP flows. One of the reasons behind this behavior is the phenomenon of ACK compression in TCP flows [15]. ACK compression has also been suggested as a possible cause of the fractal nature of network traffic in [3]. We look at the impact of reducing the effects of ACK compression and burstiness of TCP sources through TCP pacing [15] on the second-order scaling of traffic.

Supported in parts by DARPA contract F30602-00-2-0537, DoD MURI contract F49620-97-1-0382 and NSF grant ANI 9806660.

Our results show that both these techniques are very successful in reducing the scaling exponents and burstiness in traffic. While these techniques are aimed at TCP's contribution to traffic scaling, we also show that these techniques are also effective when other factors like heavy-tailed file sizes and human causes like think times are also present, as long as TCP is used as the underlying transport protocol. Also, while we mainly concentrate on the multi-fractal and fixed time-scale properties, our simulations show that the large time scale properties are also affected by these schemes resulting in lower degrees of self-similarity or the Hurst parameter.

The rest of the paper is organized as follows. In Section II we give a brief overview of basic concepts. Section III investigates the impact of three buffer management schemes on traffic scaling: taildrop, RED and a proposed modified RED algorithm. In Section IV we concentrate on the impact of reducing the burstiness of TCP flows. Finally, Section V presents the discussions and concluding remarks.

II. Discrete Wavelet Transform and Multi-scaling

Consider an arrival process $A(0,t)$ which counts the cumulative traffic arrival in the time interval $(0,t)$ and its associated increment process $X_\Delta(i)$ defined as

$$X_\Delta(i) = A(0,i\Delta) - A(0,(i-1)\Delta) \tag{1}$$

The basic hypothesis associated with scaling is that the moments of the increment process behave as

$$\sum_i X_\Delta(i)^q \sim C(q)\Delta^{-\tau(q)} \quad \text{as } \Delta \to 0 \tag{2}$$

While in theory, this behavior should hold over all time scales for the scaling hypothesis to be satisfied, in practice, the hypothesis can be said to be reasonable if the behavior is satisfied over a range of timescales. The function $\tau(q)$ is called the *structure* function and for mono-fractal or self-similar processes, $\tau(q)$ is linear in q. For multi-fractal processes, $\tau(q)$ is non-linear in q and for both the processes, in general, is decreasing in q.

The discrete wavelet transform represents a one dimensional signal $X(t)$ in terms of shifted and dilated versions of a bandpass wavelet function $\psi(t)$ and shifted versions of a low pass scaling function $\phi(t)$. For the choices of $\psi(t)$ and $\phi(t)$ which allow us to form an orthonormal basis, the signal can be represented as $X(t) = \sum_k \langle X(t)\phi_{0,k}(t)\rangle \phi_{0,k}(t) + \sum_{j=0}^{\infty}\sum_k \langle X(t)\psi_{j,k}(t)\rangle \psi_{j,k}(t)$, where $\phi_{j,k}(t) = 2^{-j/2}\phi(2^{-j}t - k)$ and $\psi_{j,k}(t) = 2^{-j/2}\psi(2^{-j}t - k)$. The quantity $d_{j,k} = \langle X\psi_{j,k}\rangle$ is referred

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to as the *wavelet coefficient* at scale j and time $2^j k$. With the *partition functions* defined as

$$S_q(j) = \frac{1}{n_j} \sum_k | d_{j,k} |^q \sim C(q) j^{\alpha(q)}, \quad (3)$$

for self-similar processes $\alpha(q)$ is linear and given by $\alpha(q) = Hq + q/2$. On the other hand, if $\alpha(q)$ non-linear, we say that the process shows multi-scaling. It is common in multi-fractal theory to define the exponents slightly differently: $\zeta(q) = \alpha(q) - q/2$ which results in $\zeta(q) = Hq$ for self-similar processes. In this paper, we plot $\zeta(q)$ to study the scaling behavior of network traffic.

III. Buffer Management Policies and Multi-Scaling

In this section we look at the effect of buffer management policies on the scaling properties of traffic passing through it. We consider both passive and active queue management algorithms.

A. Taildrop Queues

Taildrop queues are currently the most widely implemented queueing mechanisms in routers in the Internet [10]. The first-in-first-out (FIFO) policy of taildrop queues, coupled with the bursty nature of TCP traffic implies that the packet drops from a taildrop queue become correlated and multiple packets can get dropped from the same window. The effect of taildrop queues on the probability of timeouts in TCP flows, can be modeled with the correlated loss model used in [10] and [12].

B. RED Queues

RED is an active queue management algorithm which randomly drops packets before a queue becomes full, so that end nodes can respond to congestion before buffers overflow and was proposed in [4]. For each packet arrival at the queue, the drop probability for the packet $d(k)$ is given by

$$d(k) = \begin{cases} 0 & \text{for } k < min_{th} \\ \frac{k - minth}{max_{th} - min_{th}} max_p & \text{for } min_{th} < k < max_{th} \\ 1 & \text{otherwise} \end{cases} \quad (4)$$

where min_{th}, max_{th} and max_p are control variables denoting the queue thresholds and the maximum drop probability.

For a RED queue the packet drop pattern is closely modeled by an independent loss model as noted in [13] and the references therein. In Figure 1 we plot the probability that a loss in a TCP flow with a congestion window of 5 leads to a timeout in the case of correlated and independent losses. We see that with correlated losses, the probability of timeouts are much higher for the same loss rates. This leads to the intuition that the scaling and burstiness of traffic passing through RED queues will be much lesser than that through taildrop queues. We verify this intuition through simulations later in this section.

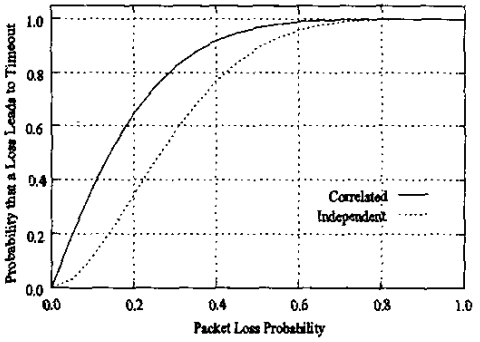


Fig. 1. Comparison of timeout probabilities for TCP flows with a window of 5 for correlated and independent loss models.

Algorithm 1 Modified Dropping algorithm of RED

```
last_drop_flag ⇐ 0
for Each Packet Arrival do
  if last_drop_flag = 1 then
    last_drop_flag = 0;
    goto enqueue;
  else if min_th < avg < max_th then
    with probability d(k), drop the packet
    if packet is dropped then
      last_drop_flag = 1;
    end if
  else if max_th < avg then
    Drop the packet;
    last_drop_flag = 1;
  else
    goto enqueue;
  end if
end for
```

C. Modified RED Queues

If the offered load to a RED queue is sufficiently high such that the average queue length becomes close to max_{th}, RED fails to perform better than taildrop queues [7]. This is due to the fact that when the average queue length becomes greater than max_{th}, RED drops each packet with probability 1. To deal with this situation, we propose a small change to RED's dropping policy and the new algorithm for packet dropping is shown in Algorithm 1. The idea is *not* to drop any two consecutive packets which arrive at the queue, unless of course if the queue is full. Since TCP generally sends back to back packets, ensuring that no two consecutive packets are dropped will reduce the probability that multiple packets from the same window are dropped, thereby reducing the occurrence of timeouts.

The probability that any arbitrarily arriving packet is dropped when the average queue length is k, $0 \leq k < qlen$ can be calculated as

$$d'(k) = \frac{d(k)}{1 + d(k)} \quad (5)$$

where $d(k)$ is defined in Equation (4). We note that if max_p

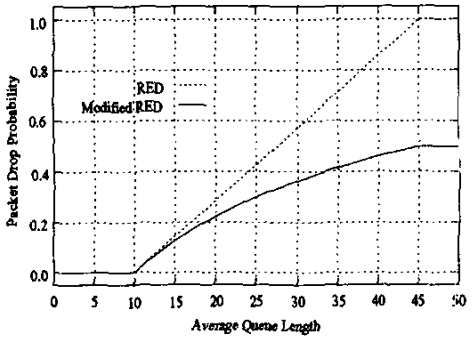


Fig. 2. Comparison of packet drop probabilities in the RED and modified RED buffer management policies.

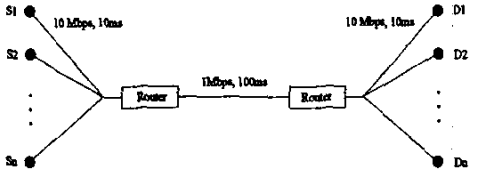


Fig. 3. Topology of the network for the validation tests.

is small as is suggested in literature on RED parameter configuring, then this modification does not significantly affect the drop rates while the average queue length is less than max_{th}. However, when the average queue length exceeds max_{th} but is less than $qlen$, the packet drop probability becomes 0.5 as compared to 1 in RED (Figure 2), thereby reducing the incidence of timeouts.

D. Results

Our simulation results were generated by simulations using the simulator *ns*. The topology used for the simulations is shown in Figure 3. The simulations for each queueing policy is again broken in two parts: the presence or absence of web traffic. The web traffic is introduced as background traffic for more realistic wide area networking scenarios and to test the effectiveness of the buffer management policies against non-TCP related causes of scaling like file sizes and human factors. The web traffic was generated using the specifications defined in [3]. For the simulations, the buffer size was kept at 100 packets. For the RED and modified RED queues, the other parameters were $min_{th} = 30$, $max_{th} = 90$, $max_p = 0.1$ and $w_q = 0.002$. All the simulations were conducted for a "simulated" time of 3600.0 seconds. For the scaling plots, we collected and analyzed the arrival statistics corresponding to the aggregate traffic arriving at the bottleneck link.

In Figure 4 we compare the scaling exponents $\zeta(q)$ for simulations without web traffic corresponding to 30 TCP flows. The results for other flow sizes (40, 50 and 60) are similar. We note that, as expected, taildrop queues show a much higher variation and a non-linear pattern in the scaling exponents suggesting multi-fractal behavior. In contrast, the linear nature of $\zeta(q)$ for the RED and modified RED queues suggest less burstiness and a behavior consistent with self-similarity.

The results for simulations with web traffic are shown in Figure 5. In this case, we note that the scaling exponents for all the three queues behave linearly in q suggesting self-similar behavior. The self-similar behavior in this case is due to the heavy tails introduced by the web traffic. For this case, we also plot the Hurst parameters for each case in Table I. We note that for lower loads the Hurst parameters corresponding to the taildrop queue are higher than both the RED and the modified RED algorithms. As the load on the network increases, the Hurst parameter of the traffic in the RED queue becomes more than the other two scheduling disciplines. This is due to the higher proportion of consecutive losses in RED queues under high loads [7]. However, we note that for all cases, the modified RED algorithm performs better than the others or equals the best performance.

In Table I we also compare the throughputs of the long TCP flows in the simulation scenarios. The improvement in the throughput with RED queues over taildrop queues is around 5-11% with web traffic and 1-3% in its absence. Similarly, modified RED increases the throughput by 5% over RED in the presence of web traffic while there is no improvement in its absence.

IV. Source-Level Burstiness of TCP Flows

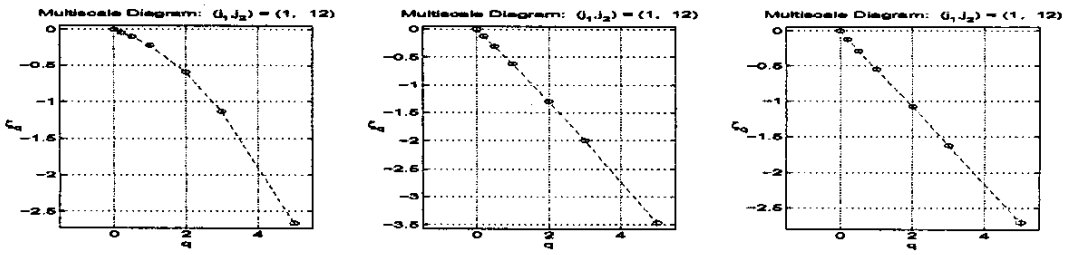
TCP traffic is inherently bursty in nature and TCP sources tend to send back to back packets. One of the key reasons behind this behavior is ACK compression as described in [15]. The immediate consequence of this is that the sender becomes bursty and sends more back to back packets. Additionally, the sender might be misled into sending more data than the network can accept [8]. This in turn contributes to the losses and timeouts experienced by the TCP flow. It was also conjectured in [3] that the phenomenon of ACK compression might be responsible for the fractal behavior of network traffic. Thus, the prospect of reducing scaling in network traffic by undoing the effects ACK compression on TCP dynamics is very promising and worthy of further exploration.

One of the most widely reported mechanisms for smoothing out TCP traffic is through evenly spacing or "pacing" a window of packets over the round-trip time and was first proposed in [15]. Pacing is accomplished at the sender (receiver) if instead of transmitting a packet (ACK) everytime an ACK (packet) is received, it is delayed to maintain the proper spacing between two successive packets (ACKs). The delay between two successive packets is given by

$$delay = \frac{RTT}{cwnd} \tag{6}$$

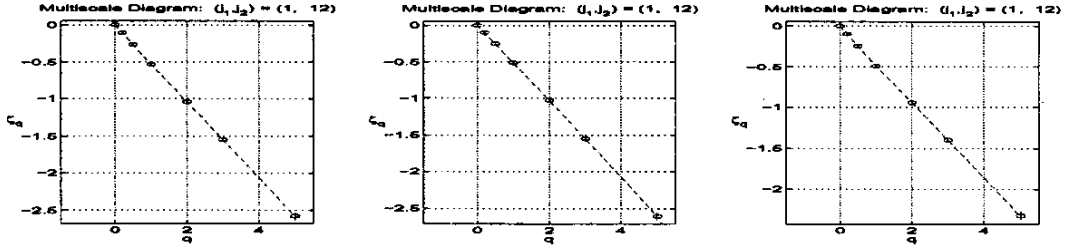
where *cwnd* is the current value of the congestion window.

In Figure 6 we plot the behavior of the scaling exponent of paced TCP and TCP Reno for taildrop and RED queues. We again note that while TCP Reno shows multi-fractal behavior, specially with taildrop queues, while multi-fractal scaling is absent for paced TCP for both taildrop and RED



Taildrop RED Modified RED

Fig. 4. Scaling behavior without web traffic: 30 flows.



Taildrop RED Modified RED

Fig. 5. Scaling behavior with web traffic: 30 TCP flows and 10 web sessions.

Queues with web traffic

Configuration	Taildrop		RED		Modified RED	
	Throughput	H	Throughput	H	Throughput	H
10 Long, 5 web	63988.44	0.58	72982.00	0.50	63055.77	0.50
15 Long, 5 web	42099.70	0.67	44785.19	0.60	47422.37	0.57
10 Long, 10 web	33005.78	0.74	37165.11	0.76	34517.33	0.75
15 Long, 10 web	22318.52	0.77	23449.48	0.84	25204.88	0.77
20 Long, 10 web	17508.89	0.80	19952.00	0.91	21275.88	0.80

TABLE I

THROUGHPUT (IN BITS/SEC) AND HURST PARAMETERS FOR THE THREE BUFFER MANAGEMENT POLICIES.

queues. In both the cases, pacing leads to significant reductions in the traffic burstiness and consequently the scaling.

In Figure 7 we compare the scaling exponents for paced and TCP Reno in the presence of web traffic (20 long TCP flows and 10 web sessions) and results for other cases (enumerated in Table II) are similar. We note that the behavior of $\zeta(q)$ is linear in q suggesting the presence of self-similar properties. In Table II we compare the Hurst parameters for the simulations with web traffic. We note that pacing is very successful at reducing the degree of self-similarity even with the presence of session and user level causes. Also, we note that pacing leads to larger reductions in H as compared to the modified RED algorithm. This leads us to believe (without rigorous proof) that the inherent burstiness in TCP flows is a greater contributor to traffic self-similarity than timeouts and exponential backoffs.

V. SUMMARY

In this paper we explored some methods for reducing the degree of second order scaling of TCP traffic. The methods

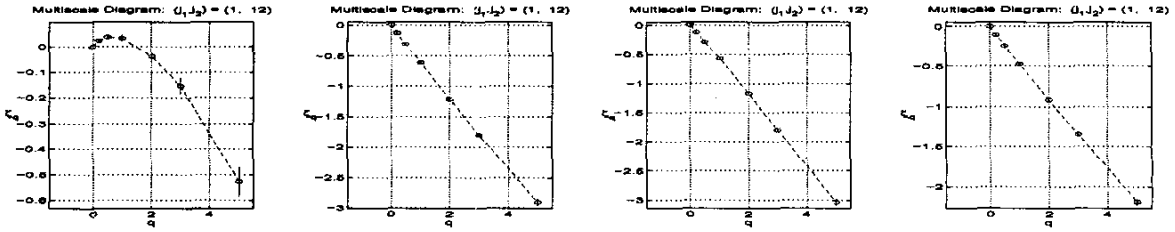
Queues with web traffic

Configuration	Taildrop		RED	
	Reno	Paced	Reno	Paced
10 Long, 5 web	0.58	0.50	0.50	0.50
15 Long, 5 web	0.67	0.50	0.60	0.50
10 Long, 10 web	0.74	0.50	0.76	0.50
15 Long, 10 web	0.77	0.50	0.84	0.50
20 Long, 10 web	0.80	0.54	0.91	0.58

TABLE II

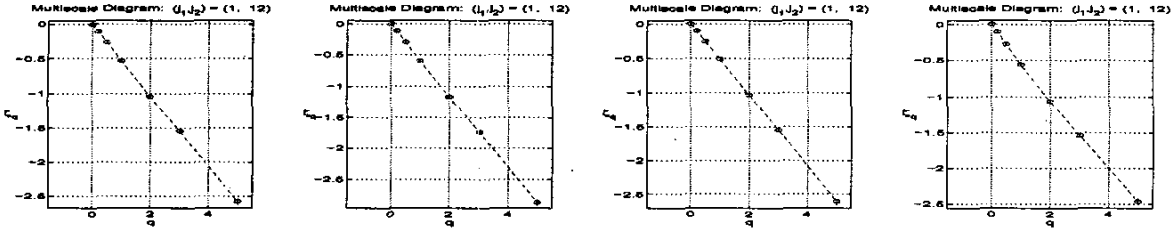
HURST PARAMETERS FOR RENO AND PACED TCP WITH WEB TRAFFIC FOR TAILDROP AND RED QUEUES.

were based on two of the causes which contribute to the self-similarity and multi-fractal nature of network and in particular TCP traffic: timeouts and the burstiness of TCP traffic. While we considered only the causes of multi and mono fractality from the TCP point of view, our solutions



60 Flows, Reno, Taildrop | 60 Flows, Paced, Taildrop | 40 Flows, Reno, RED | 40 Flows, Paced, RED

Fig. 6. Comparison of scaling behavior without web traffic for Reno and Paced TCP: Taildrop and RED queues.



Reno, Taildrop | Paced, Taildrop | Reno, RED | Paced, RED

Fig. 7. Comparison of scaling behavior with web traffic (20 long flows and 10 web session) for Reno and Paced TCP.

are also effective against other causes of self-similarity like session interarrival times and heavy tailed distributions in the file sizes, introduced by web traffic.

Our results show that while taildrop queues lead to a multi-fractal behavior in traffic, RED and modified RED queues result in self-similar traffic. Also, in the presence of web traffic, the traffic has mono-fractal characteristics due to the heavy tails associated with web server file sizes and inter-file separation times. For these cases, RED and modified RED algorithms have lower degrees of self-similarity than taildrop queues and the modified RED queue consistently gives the lowest degree of self-similarity for all these scenarios.

Another factor contributing to the multi-fractal scaling of network traffic is the inherent burstiness of TCP traffic which can be reduced by paced TCP. Our simulations show that pacing in TCP eliminated the multi-fractal scaling of TCP traffic under both taildrop and RED queues. Also, in the presence of web traffic, paced TCP results in significant reductions in the Hurst parameter for both RED and taildrop queues at the bottleneck when compared to other versions of TCP and is in fact more successful at it than the modified RED algorithm.

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