

The very gradual bending of the light by a star's gravity leads to a long, slender focus rather than a pointlike one. Because the stars in globular clusters are packed so densely, these hot, narrow beams of radiation, each a few light-years long and 40 or 50 kilometers across, form a close-stitched network extending throughout the cluster. The network "zaps the dust" as it flows through, says Wang, breaking it down and vaporizing it fast enough to eliminate most of it. "If there was dust there, it would probably be destroyed," says Turner. "The concept is interesting," says A. G. W. Cameron of the Harvard-Smithsonian Center for Astrophysics in Cambridge, Massachusetts, although he says that details of how radiation heats and destroys the dust still need to be pinned down.

Rosy lenses? Dust may also be affecting our view of the distant universe, well beyond our galaxy, as Turner, Sangeeta Malhotra

of Caltech, and James Rhoads of Kitt Peak National Observatory suggested in a separate presentation. On its way to Earth, light from quasars—brilliant, galaxylike objects at the far edge of the universe—sometimes passes through vast lenses created by the gravity of entire galaxies along the line of sight. The multiple quasar images that result are often surprisingly red, Turner and his colleagues found. They suggest that dust in the lensing galaxies is responsible, reddening the light just as dust in the atmosphere tints sunsets on Earth.

If they are right, then the redness of the quasar spectra could serve as a probe of distant dust, which seems to be far more abundant in the lensing galaxies than in nearby massive galaxies. That might imply more frequent galaxy collisions in the past, which would keep the large lensing galaxies well stocked with dust. What's more, Turner and colleagues reason that if dust reddens some of the images, it

may completely block others. That effect would hamper efforts to use the frequency of optical lenses to gauge how the "shape" of space has changed over time because of changes in the universe's expansion rate—a technique akin to estimating the size of a flock of birds at night by how often one of them is silhouetted against the moon. (Lensed radio sources would not suffer from this limitation, because they are unaffected by dust.)

So far, says Masataka Fukugita of Kyoto University in Japan, the evidence that dust is altering our view of the quasar images is "quite suggestive" but not yet convincing, as it's hard to be sure what the quasars behind the lenses really look like. Settling the question could require some detailed sleuthing. But the devotees of dust are likely to welcome the task, says UCSD's Mendis: "What is a nuisance to some people is a wonderful area of study for others."

—James Glanz

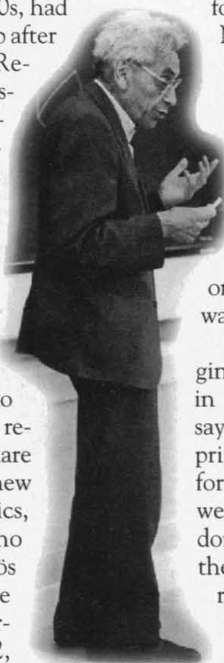
MATHEMATICS

Homage to an Itinerant Master

SAN DIEGO—The mathematics community paid tribute here last month to one of its legendary figures. Unique in the world of modern mathematics, Paul Erdős, who died on 20 September at the age of 83, is considered the most prolific mathematician ever. Yet, Erdős, who was born in Hungary and came to the United States in the 1930s, had no permanent home and no formal job after 1954. Ronald Graham of AT&T Research, the moderator of the special session in Erdős's honor at the joint meetings here of the American Mathematical Society and the Mathematical Association of America, described his working style as "one life-long, continuous lecture tour. He traveled from one mathematical center to another, passing along news, squeezing out all the mathematical juice he could, and moving on."

Along the way, Erdős found time to author or co-author more than 1400 research papers. His willingness to share credit led to the development of a new concept in the sociology of mathematics, the "Erdős number." A person who wrote an article with Erdős had Erdős number 1, one who wrote an article with someone who had written an article with Erdős had Erdős number 2, and so on. So numerous were Erdős's collaborators that the list includes more than 4500 people with Erdős number 2, and it is hard to find a mathematician with an Erdős number greater than 3 or 4—unless that mathematician has written no joint papers of any kind. (This unfortunate group has an Erdős number of infinity.)

The speakers at the Erdős session represented the broad spectrum of fields he worked in: number theory, set theory, combinatorics, graph theory, and geometry, among others. In number theory, he was fascinated by the large-scale properties of the number system. In 1949, he and Atle Selberg of the Institute for Advanced Study in Princeton, New Jersey, published an "elementary" proof that the probability that a randomly selected large number is prime is roughly equal to 1 divided by the natural logarithm of the number. Until then, mathematicians doubted that an elementary proof, one involving only the arithmetic of the integers, was possible.



A love for beautiful problems.
Mathematician Paul Erdős.

Another characteristic and original theorem of Erdős's, published in 1940 with the late Mark Kac, says that a graph of the number of prime factors of very large numbers forms a bell curve, as if the numbers were choosing their factors at random. "God may not play dice with the universe," Erdős is said to have remarked, alluding to Einstein's famous quotation, "but something strange is going on with the prime numbers."

All six speakers described the love of specific problems that drove this work. "He succumbed to the seduction of every beautiful problem he encountered," said Joel Spencer of the Courant Institute at New York University. Instead of building sweep-

ing theories, Erdős's gift was to pose problems that pointed the way to productive new areas of research. His result on the number of factors of large numbers, for example, launched the field of probabilistic number theory.

Carl Pomerance of the University of Georgia delighted the audience with the story of how an irresistible problem led to his first meeting with Erdős. In 1974, when the great baseball player Hank Aaron broke Babe Ruth's career home-run record, Pomerance noticed that the prime factors of both 714 (the number of home runs Ruth hit) and 715 (Aaron's new record) added to 29. Pomerance wrote a short note for the *Journal of Recreational Mathematics* about what he called "Ruth-Aaron numbers," pairs of consecutive numbers whose prime factors have the same sum. He speculated that such pairs become less and less frequent as their size increases. He added, "I had no idea how to prove such a result."

But within a week after his paper appeared, the young assistant professor received a phone call from the master. Erdős said he would show Pomerance how to prove his conjecture—provided that Pomerance invited him to Georgia. The meeting resulted in a joint paper—the first of over 40 papers Pomerance and Erdős would write together.

Years later, Pomerance said, the University of Georgia awarded honorary degrees to both Erdős and Aaron. He asked both recipients to autograph a baseball for him. "And thus," Pomerance concluded, "Henry Aaron also has Erdős number 1."

—Dana Mackenzie

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