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## **Time-Domain Reflectometry: Simultaneous Measurement of Soil** Water Content and Electrical Conductivity with a Single Probe

Abstract. Two parallel metallic rods were used as a wave guide to measure the dielectric constant and electrical conductivity of soils having different electrical conductivities but the same water content. Measurements showed that the two parameters were sufficiently independent to permit simultaneous determinations of water content and bulk electrical conductivity.

Conventional nondestructive methods for measuring the water content of soil are based on the use of neutron probes and less frequently on the attenuation of gamma rays (1). Soil water conductivity is tediously determined by sampling the soil and measuring the electrical conductivity of saturated extracts (2). Timedomain reflectometry (TDR) is a relatively new method for measuring the volumetric water content of a porous medium. It was first developed by Fellner-Feldegg (3) in an effort to obtain in one measurement the frequency de-

pendence of the dielectric constant of liquids. In addition, molecular relaxation times and electrical conductivities could be measured. Topp et al. (4, 5) showed the general applicability of the method for measuring the volumetric water content of soils and other porous materials. They found that there is a unique relation between the volumetric water content and the dielectric constant for many different soils. One obtains the dielectric constant of the medium by measuring the transit time of an electromagnetic pulse launched along a pair of metallic, parallel



rods of known length embedded in the porous medium (Fig. 1). In a saline soil, however, the electromagnetic pulse is attenuated (4). The purpose of this study was to determine if the attenuation of the launched signal in a conductive medium could be used to measure soil salinity. If the measurements of transit time and attenuation are sufficiently independent, then the conductivity and dielectric constant can be determined simultaneously.

At the end of the wave guide, the launched electromagnetic pulse is reflected back to its source. Therefore, the pathlength is twice the length of the wave guide, L (in meters). The measured transit time, t (in seconds), gives the propagation velocity of the pulse (in meters per second):

$$v = \frac{2L}{t} \tag{1}$$

If dispersion is negligible, then v can be given simply in terms of the relative dielectric constant of the medium,  $\epsilon$ , and the velocity of light in free space, c  $(3 \times 10^8 \text{ m/sec}),$ 

$$v = \frac{c}{\epsilon^{1/2}} \tag{2}$$

Therefore, the relative dielectric constant is given by

$$\boldsymbol{\epsilon} = \left(\frac{ct}{2L}\right)^2 \tag{3}$$

Figure 1 shows a schematic of a TDR system used to obtain t;  $V_0$  represents the output of the pulse generator,  $V_{\rm T}$  is the magnitude of the voltage pulse that enters the parallel-rod wave guide, and  $V_{\rm R}$  designates the magnitude of the reflected wave when it has returned to the wave-guide input (3). In order to be able to distinguish t,  $V_{\rm R}$  must be greater than zero. In a nonconducting medium,  $V_{\rm R}$ will be equal to  $V_{\rm T}$  and t is easily measured. However, when the medium is conductive, as in a saline soil, the amplitude of  $V_{\rm T}$  will be attenuated in proportion to the conductivity. The attenuation of  $V_{\rm T}$  can be used to measure the electrical conductivity of the medium and therefore the salt content.

According to electromagnetic field theory, the amplitude of a signal traveling a distance 2L in an electrically conductive medium with an attenuation coefficient  $\alpha$  is diminished exponentially according to

$$V_{\rm R} = V_{\rm T} \exp(-2\alpha L) \tag{4}$$

where the attentuation coefficient,  $\alpha$ , is approximated by

$$\alpha = \frac{\sigma}{2} \left( \frac{\mu \mu_0}{\epsilon \epsilon_0} \right)^{1/2}$$
 (5)

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In Eq. 5  $\sigma$  is the electrical conductivity of the medium (in siemens per meter);  $\mu$ is the medium's relative magnetic permeability;  $\epsilon_0$  is the dielectric constant in free space (in farads per meter); and  $\mu_0$  is the magnetic permeability in free space (in henrys per meter). For soils low in magnetic material,  $\mu = 1$  and Eq. 5 becomes

$$\alpha = \frac{60 \ \pi \sigma}{\epsilon^{1/2}}$$

Combining Eq. 4 and 6 yields the medium electrical conductivity as

$$\sigma = \frac{\epsilon^{1/2}}{120\pi L} \ln \frac{V_{\rm T}}{V_{\rm R}} \tag{7}$$

Under conditions for which t is measurable,  $\epsilon$  is known by Eq. 3. Equation 7 can then be used to calculate  $\sigma$  by TDR.

The relation between  $\sigma$  and soil water electrical conductivity,  $\sigma_w$ , is given by (6)

$$\sigma = \sigma_{\rm w} \theta T(\theta) + \sigma_{\rm s} \tag{8}$$

where  $\theta$ ,  $T(\theta)$  and  $\sigma_s$  are, respectively, the soil water content, soil water transmission coefficient, and solid-phase conductivity. Values for these coefficients are available for a fine sandy loam (Indio, coarse-loamy, mixed, thermic haplic durixeralfs), which is similar to the soil used in this investigation (Arlington, coarse-silty, mixed hyperthermic typic torrifluvents), and are given by

$$T = 1.29\theta - 0.116$$
(9)

and  $\sigma_s = 0.25 \text{ dS/m}$ .

In order to compare the TDR determinations of the  $\sigma$  values as predicted from Eq. 7 with those described by Eq. 8, we brought ten soil columns to equal water contents, using waters of ten different  $\sigma$ values. Twenty-five days after infiltrating each column with waters of known electrical conductivities, we made TDR measurements of t,  $V_{\rm T}$ , and  $V_{\rm R}$ . Then we determined the average volumetric  $\theta$  for each column by sampling in 5-cm depth intervals. In order to obtain the average  $\sigma_w$  value we took another set of soil samples and extracted the soil water by centrifuging. We then measured the  $\sigma_w$ values of the extracts by using a standard conductivity bridge.

During the time period allowed for each column to come to an equilibrium distribution of water content, a dissolution of residual salts occurred. This was reflected in a measured increase in the  $\sigma_w$  at the end of the experiment. The value of  $\sigma_w$  ranged from 0.8 to 11.1 dS/ m, whereas the average volumetric  $\theta$  for the ten columns was fairly constant at  $0.34 \pm 0.01$ . The average value of  $\epsilon$  was  $19.48 \pm 0.53$ ; this value is in good agree-



(6)

(dS/m) 1.2 Б conductivity 0.8 TDR measurer Four-electrode measurements 0.4 soil Bulk 0 10 Liquid-phase electrical conductivity  $\sigma_w$  (dS/m)

Fig. 2. The relation between bulk soil electrical conductivity and soil water electrical conductivity, as determined by four-electrode measurements (Eq. 8) and TDR measurements (Eq. 7).

ment with that determined by Topp et al. (4), (that is, 19.57), for a number of different soils, all at a  $\theta = 0.34$ . The effect of the large variations in the  $\sigma$  values of the media thus has a negligible effect upon the determinations of  $\theta$ .

Figure 2 compares the two determinations of  $\sigma$  as a function of  $\sigma_w$ . The solid line is a plot of Eq. 8; we calculated the positions of the data points from Eq. 7, using the values measured from the ten soil columns. The close agreement between the two determinations demonstrates that TDR can be used to obtain bulk medium  $\sigma$  and volumetric  $\theta$  values with a single probe. Since the probe is spatially sensitive to the average  $\epsilon$  and  $\sigma$ between the rods, water and solute distributions can be monitored if the probes are placed in a horizontal orientation at specified vertical intervals. Alternatively, vertical installations with probes of various lengths can yield average quantities over those lengths insofar as the soil  $\sigma$  does not completely attenuate the signal.

Only recently has bulk medium  $\sigma$  been used to estimate the pore-water  $\sigma$ . Even in the best instances, two separate measurements are necessary in order to determine  $\theta$  and pore-water  $\sigma$ . Thus, when TDR is used in conjunction with known relations between medium  $\sigma$  and  $\sigma_w$ , it provides a powerful new tool in soil water research because a single measurement can yield both  $\theta$  and the soil water salinity.

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## Nautilus Growth and Longevity: Evidence from Marked and **Recaptured Animals**

Abstract. Study of Nautilus belauensis in its natural habitat in Palau, West Caroline Islands, shows that growth is slow (0.1 millimeter of shell per day on the average) and decreases as maturity is approached and that individuals may live at least 4 years beyond maturity. Age estimates for seven animals marked and recaptured between 45 and 355 days after release range from 14.5 to 17.2 years. These data indicate that the life-span of Nautilus may exceed 20 years and that its life strategy is very different from that of other living cephalopods.

There has been considerable interest in the growth rate of Nautilus as a measure for estimating growth rates, lifespan, and timing of ontogenetic events in such fossil groups as the ammonoids and nautiloids. Diverse approaches have been used to estimate Nautilus growth rates; Oliver Wendell Holmes, for instance, suggested a rate of one chamber per year (or about 32 years to maturity) (1), which may be closer to fact than more recent projections. Other estimates, based on aquarium records of animals maintained in captivity (2), chamber partial gas pressures (3), shell radionuclide half-lives (4), and growth line counts (5), have ranged from 13 to 75 days per chamber (about 2 to 6 years to maturity). Longevity has not been the subject of such speculation; most cephalopods die after reproducing, and Nautilus has not been assumed to be an exception.

Reliable data on growth of animals in their natural habitat has not been available. The deep habitat of Nautilus limit-