

other enzymes. There is a close relationship between the structure required for bactericidal action and that required for inactivation of —SH enzymes. Thus compounds containing the —SO—S— grouping are effective in both enzyme inhibition and bactericidal activity, whereas compounds containing the —SO—, —S—S— or —S— linkages are ineffective. The —SH inactivation obtained with alkylthiosulfinic alkyl ester may be the result of a strong combination of this compound with cysteine or may be due to oxidation of —SH to —S—S— by the labile oxygen (2, 5).

Although most of the studies of alliin have centered upon its bactericidal action, its reactivity with —SH groups suggests that it might also have an inhibitory effect on malignant cells. An increase in —SH compounds prior to cell division has been demonstrated in a wide variety of tissues, plants, and organisms (6). Reduced —SH compounds stimulate cell growth and division, whereas substances which oxidize —SH to —S—S— inhibit cell division. Similar inhibition of cell division may be obtained with thiol poisons such as alkylating agents and heavy metals. Abnormalities of —SH metabolism may be implicated in malignant cell growth since a high —SH content has been demonstrated in some tumor cells (7). Accordingly, the effect of an alkylthiosulfinic alkyl ester on the growth of malignant tumors in animals was studied.

Since the allyl ester of allylthiosulfinic acid which is ordinarily formed in garlic extracts is unstable, the more stable diethyl analog was used in these studies. The ethylthiosulfinic ethyl ester ($C_2H_5-SO-S-C_2H_5$, ETHIOS) was prepared by incubating S-ethyl L-cysteine sulfoxide with alliinase. Alliinase was prepared from crushed garlic bulbs according to the modification of Wills (5). S-Ethyl L-cysteine sulfoxide was prepared from S-ethyl L-cysteine by oxidation with 30 percent hydrogen peroxide and crystallization from aqueous acetone. The amount of thiosulfinic ester formed was estimated by determining the amount of ammonia released from the reaction mixture after incubation with alkali in a Conway vessel.

Studies were made of the effect of these substances on the growth of sarcoma 180 ascites tumor in CFW Swiss mice (18 to 22 g). Gain in weight and time of survival were taken as an index of the number of ascites tumors formed and of the degree of malignancy produced. The mice were inoculated with a dilute suspension of tumor cells freshly drawn from donor mice. Each inoculum contained approximately 5 million tumor cells and was incubated with either normal saline or an equivalent volume of the test substance in solution for 10 to 15 minutes prior to intraperitoneal in-

Table 1. Effect of garlic enzyme (alliinase) and substrate (S-ethyl L-cysteine sulfoxide) on the development of sarcoma 180 ascites tumor in mice. The synthetic reaction product was ethyl thiosulfinic ethyl ester ($C_2H_5-SO-S-C_2H_5$; ETHIOS).

Inoculum	No. of animals	Percentage developing tumors	Survival (day)
Tumor + saline	75	100	< 16
Tumor + substrate	25	100	< 16
Tumor + enzyme	25	100	< 16
Tumor + (substrate + enzyme)	25	0	> 180
Tumor + synthetic reaction product	50	0	> 120

oculation. Incubation with saline prior to inoculation was uniformly followed by successful transplantation in each of 75 control mice, as is shown by rapid weight gain and death within 16 days (Fig. 1 and Table 1).

Similar results were obtained when the inoculum was preincubated with either the enzyme (alliinase) or the substrate (S-ethyl L-cysteine sulfoxide). However, when the tumor cells were preincubated with equivalent amounts of a solution in which the enzyme and substrate had been allowed to react, no growth of the ascites tumor was demonstrable, and there was no mortality in animals that were observed for a period of 6 months. Approximately 1.0 μ mole of the enzymatically prepared ethylthiosulfinic ethyl ester was present in each inoculum. Heating the enzyme before allowing it to react with the substrate resulted in complete failure to inhibit formation of ascites tumors, the gain in weight and the mortality being identical with those obtained in the control animals.

Preincubation of tumor cells with the ethylthiosulfinic ethyl ester synthetically prepared by oxidation of diethyl disulfide with perbenzoic acid (8) was also effective in preventing tumor growth. Successful inhibition was obtained with 0.1 μ mole of the synthetically prepared ester per inoculum. Iodoacetate, which also inhibits some thiols, did not prevent formation of ascites tumors or death when preincubation was carried out with 1 μ mole per inoculum.

Intravenous injections of the ethylthiosulfinic ethyl ester into mice previously inoculated with sarcoma 180 ascites tumor cells delayed the onset of malignant ascites tumors and in some instances completely prevented their formation and the death of the mice. Five micromoles of the ester were injected intravenously into mice daily for 7 days, the first injection

being given 24 hours after intraperitoneal inoculation with sarcoma 180 ascites tumor cells. When the inoculum was 5 million ascites cells per animal, no ascites tumors developed during this period of time, but malignant ascites tumors developed rapidly after intravenous administration of the ester was discontinued. When the tumor inoculum was decreased to 1 million cells per animal, 40 percent of the animals failed to develop ascites tumors even when intravenous injection of the ester was discontinued.

The effect of the ethylthiosulfinic ethyl ester on incorporation of a radioactive sulphur (S^{35}) amino acid by leukemic leukocytes *in vitro* was also studied. Leukemic leukocytes were incubated with the thiosulfinic ester for 30 minutes; the cells were then centrifuged and washed, and S^{35} L-cysteine was added. Following incubation, the uptake of S^{35} was determined by methods previously described (9). Addition of increasing amounts of either the enzymatically formed or synthetic thiosulfinic ester resulted in a progressive decrease in the uptake of S^{35} . With 2.5 μ mole of the ester per milliliter of whole blood, the uptake of S^{35} was reduced to 10 percent of the control values.

It is evident that ethylthiosulfinic ethyl ester may have tumor-inhibiting effects when malignant cells are placed directly in contact with this compound prior to inoculation. The inhibitory effect of the thiosulfinic ester on tumor growth when not placed directly in contact with this compound is suggestive but not conclu-

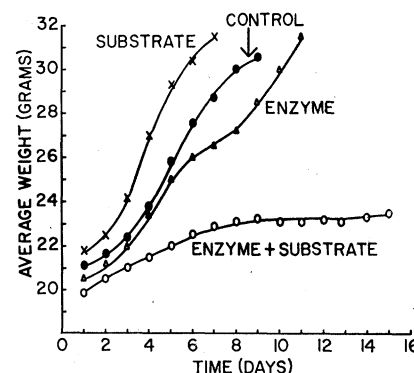


Fig. 1. Effect of garlic enzyme and substrate on growth of sarcoma 180 ascites tumor in mice. Preincubation of the inoculum with saline (control) results in rapid growth and death of all animals within 16 days. Preincubation with the enzyme (alliinase) or substrate (S-ethyl L-cysteine sulfoxide) results in a similar rapid growth of the tumor and death of all the animals within 16 days. When the enzyme was allowed to react with the substrate, and the inoculum was preincubated with the reaction mixture, no tumor growth occurred, and the animals remained alive during a 6-month observation period.

sive. Both the bactericidal and tumor inhibitory effects appear to be related to the presence of the —SO—S— linkage and may be the result of —SH inactivation by direct combination or by oxidation of —SH to —S—S—. The decreased uptake of S³⁵ L-cysteine by leukemic leukocytes may also be related to —SH inactivation. These effects on malignant cells by an agent which inactivates —SH groups are further suggestive of the importance of —SH metabolism in neoplasia (10).

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References and Notes

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Biquartimin Criterion for Rotation to Oblique Simple Structure in Factor Analysis

The last 5 years have seen much effort on the part of workers in the field of factor analysis to develop a completely analytical method for rotating axes to what Thurstone (1) called "simple structure." Such a method would supplant the largely subjective, graphical methods which have been in wide use for at least 20 years. In 1953 I published (2) a method for the general case of oblique axes, but the results were not satisfactorily close to those achieved by the best graphical methods. At about the same time Saunders (3), Neuhaus and Wrigley (4), and Ferguson (5) independently proposed what Neuhaus and Wrigley called the "quartimax" method, which yielded an approximation to simple structure under the restriction of orthogonality. This method is mathematically equivalent to my method, under the stated restriction. Kaiser (6) showed that part of my solution can be achieved by

the use of a characteristic equation; he also presented (7) a further criterion for the orthogonal case, called the "varimax" criterion since it depends on maximizing the variance of squared factor loadings. Pinska and Saunders (8) suggested a variant of their criterion for the oblique case, and Kaiser (9) generalized his varimax method for the oblique case.

This report (10) presents the "biquartimin" criterion for simple structure in the oblique case. When applied to several "school problems" such as Thurstone's box problem (1, p. 229), it yields results which appear to be closer to graphical solutions than those yielded by other analytical approaches. The complete evaluation of this and other methods awaits the development of parallel high-speed computational systems and their application to a wide variety of data.

To introduce the biquartimin criterion, it may help to refer to my original method (2) as the quartimin, since it depended upon the minimization of the sum of the cross-products of squared factor loadings and thus involved terms of the fourth degree. Let the $n \times m$ matrix of the initial factor loadings be denoted F , where n is the number of variables and m is the number of factors. Then, the quartimin method finds a transformation matrix Λ such that it will be true of the elements v_{jp} of the resulting matrix $V = \Lambda F$ that

$$\sum_{p < q} \sum_{j=1}^n v_{jp}^2 v_{jq}^2 \text{ is a minimum,}$$

where $j = 1, 2, \dots, n$, and $p, q = A, B, \dots, m$. The rationale offered for the quartimin criterion depended on the fact that simple structure requires a maximum number of zero or near-zero entries in V .

Kaiser's (9) generalization of his varimax criterion to the oblique case might be called the *covarimin* criterion, since it requires that the sum of the covariances of squared factor loadings be a minimum; that is, that

$$\frac{1}{n} \sum_{p < q} \sum_{j=1}^n v_{jp} v_{jq} \text{ is a minimum,}$$

where

$$v_{jp} = (v_{jp}^2 - \overline{v_{jp}^2})$$

The covarimin criterion is closely related to the quartimin criterion but corrects for the mean value of the squared factor loadings. Thus, the latter utilizes the deviations of squared factor loadings from zero while the former utilizes deviations from their mean value.

Experimentation with the quartimin and covarimin criteria as applied to several sets of real or hypothetical data revealed that the presence of factorially complex variables created almost precisely opposite disturbances, the quar-

Table 1. Data for Thurstone's "box problem" (1, p. 229): transformation matrix (Λ) obtained by the analytical biquartimin method as compared with that obtained by Thurstone by graphical methods.

	X	Y	Z
<i>Biquartimin criterion</i>			
I	.450	.434	.473
II	-.862	.237	.597
III	.234	-.869	.648
<i>Thurstone's solution</i>			
I	.483	.466	.479
II	-.834	.254	.560
III	.267	-.847	.675

timin axes being too highly correlated and the covarimin axes being too much separated. The centroids of corresponding quartimin and covarimin transformation vectors proved to be very close approximations to the results of graphical solutions, but this type of solution (although otherwise acceptable) was rejected because it would entail more than twice the normal amount of computation and the possibility of difficulty in identifying corresponding vectors.

The biquartimin criterion combines the advantages of the quartimin and covarimin methods by requiring that the expression

$$\sum_{p < q}^m \left[\sum_{j=1}^n v_{jp}^2 v_{jq}^2 + \sum_{j=1}^n v_{jp} v_{jq} \right]$$

be a minimum. It doubly satisfies the requirement of parsimony (5) in that the sum of cross-products of squared factor loadings must be minimized along with the sum of cross-products of deviations of squared factor loadings from their mean values.

In one of several possible computational schemes, the biquartimin criterion can be expressed as the sum of the off-diagonal elements of a symmetric matrix composed of quadratic forms—that is,

$$\sum_{p < q}^m \lambda_p H_q \lambda'_p \text{ is a minimum,}$$

where λ_p is a transformation vector of Λ and

$$H_q = 2n \sum_{j=1}^n (\lambda_q F'_j F_j \lambda'_q) F'_j F_j - (\lambda_q F' F \lambda'_q) F' F,$$

where F_j is the j th row of F . The solution for the minimum value must be made iteratively. For any one stage of the iterations, designate the vector to be solved for as x and any one of the remaining vectors as r , then determine

$$\lambda_x (\Sigma H_r) \lambda'_x \text{ is a minimum}$$

by determining λ_x as the latent vector corresponding to the smallest latent root of the symmetric matrix (ΣH_r) . (In