

to base *Papilio plexippus* Linnaeus on a figure by Clarke, published in 1941—a figure of an insect collected in Kendall, New York, and we have to say that the type locality is the state of Pennsylvania!

We were, indeed, very much surprised to see such statements in Hemming's mail proposal. We here in Brasil strongly protest against this kind of systematics—the designation of a figure not seen by Linnaeus as the type of an insect described by him, when there still exists in the Linnaean collection a specimen of this insect that was seen and labeled by Linnaeus. To designate a figure “as the standard for identifying” (Hemming's own expression) really amounts to a designation of a type¹ for the species and subspecies. To designate a figure based upon a specimen from Kendall, New York, and at the same time to say that the type locality is Pennsylvania shows a real and obvious ignorance of what is meant by the term “type locality.”

We must also say concerning footnote 5 on page 70 of the Field, Clarke, and Franclemont paper that one of us (Almeida) received Hemming's mail proposal. It was received, however, after the date specified in their paper (i.e., December 10, 1950). Hemming's letter is dated October 31, 1950. We have not checked the date it was posted, but apparently there was some postal delay.

Finally, we want to state that we agree with the conclusions set forth by Field, Clarke, and Franclemont, and we also request (as they did) that the commission reconsider the whole matter of fixing the name *Papilio plexippus* L.

We have discussed this matter with some of our colleagues who work on systematic zoology in scientific institutions in the cities of Rio de Janeiro and São Paulo. We wished to learn their opinions about the way Hemming was trying to solve this question of *P. plexippus*, because it involved not only matters of interest to lepidopterists, but also matters of interest to all systematic zoologists and with implications about which all right-thinking systematic zoologists should be warned.

R. F. FERREIRA D'ALMEIDA
JOSÉ OITICICA, F.

Museu Nacional
Rio de Janeiro, Brasil

After a careful discussion of the paper above, the undersigned agree *in toto* with the views therein contained.

Museu Nacional, Rio de Janeiro

JOÃO MOOJEN
DALCY DE ALBUQUERQUE
HAROLDO PERREIRA TRAVASSOS
JOSÉ LACERDA DE ARAUJO FEIO
ANTENOR LEITÃO DE CARVALHO
HERBERT FRANZONI BERLA

¹ We realize that Hemming has not used the word “type” here but uses the phrase “the standard for identifying.” We interpret this expression (as did Field, Clarke, and Franclemont) to mean “a type” and, indeed, can see no other meaning. Nevertheless, we would not be surprised to hear from Hemming that in his new systematics this expression does not mean a type but some other thing.

NEWTON DIAS DOS SANTOS
ALCEU LEMOS DE CASTRO
CARLOS DE PAULA COUTO
Instituto Oswaldo Cruz, Rio de Janeiro
HERMAN LENT
LAURO TRAVASSOS
JOÃO F. TEIXEIRA DE FREITAS
FABIO LEONI WERNECK
SEBASTIÃO J. DE OLIVEIRA
DOMINGOS A. MACHADO, F.
HUGO SOUZA LOPES
Departamento de Zoologia, São Paulo
LAURO TRAVASSOS, F.
LINDOLPHO P. GUIMARÃES
CARLOS O. C. VIEIRA
ERNESTO X. RABELLO
OLIVÉRIO M. DE OLIVEIRA PINTO
HELIO F. DE ALMEIDA CAMARGO
MESSIAS CARRERA
M. A. V. D'ANDRETTA
WERNER C. BOCKERMANN
Instituto Biológico, São Paulo
CLEMENTE PEREIRA
MARIA PEREIRA DE CASTRO
EDUARDO NAVAJAS
MARIO AUTUORI
R. L. ARAUJO

Mathematics and Science

ALTHOUGH the authors of three communications (*Science*, 112, 233 [1950]) take issue with some of my statements (*Science*, 110, 566 [1949]), they do not try to controvert my contention that the theory of probabilities is very useful in applying principles for successful prediction, but not in discovering them.

In stating that “disordered systems can be specified with the same degree of precision as ordered systems,” John C. Neess surely cannot mean what the words imply—that greater knowledge does not permit greater precision in specification. Does disorder mean anything more than that we do not yet grasp the order, perhaps very complex, that there may be in a situation? He rightly refers to “the confused atmosphere of du Noüy's *Human Destiny*,” but his statement is reminiscent of du Noüy's extraordinary conclusion (p. 26) that “order is born of disorder.” He states that we “have removed a barrier to intellectual and scientific progress” by replacing “an older notion of causality” “with one of chance determination of events.” Does “chance determination” mean anything more than that we don't know how the events have been determined? Arguments based upon ignorance are suspect. The “indeterminacy” of an electron represents the continuing ignorance of the investigator (H. N. Russell, *Science*, 27, 249 [1943]) and is surely meaningless as to the character of the thing investigated, except as limited by our relations with it. “Relativity” expresses this limitation for man. When one of its leading exponents (Eddington) argues: “What we can't know doesn't exist,” he should add “in us” or “for us.” If he is logical, anyone who accepts this idea without the qualification is sure to founder on the rock of solipsism, since he must finally conclude

that nothing exists except himself. Newtonian physics may well express how things (objects or external events) really are arranged, but Einsteinian physics states only how they seem to us to be arranged.

In the communications of C. H. Goulden and N. T. Gridgeman, there is some confusion between the whole and its parts. To predict accurately the half-life of a piece of radium does not require the theory of probabilities, but to predict when an atom of radium will disintegrate clearly does, with present ignorance of possible differences among the atoms. One should know for what unit prediction is required, and for what units the necessary facts can be obtained. When individual organisms are studied to provide a basis for predicting the behavior of aggregates, which may be very diverse, greater accuracy of prediction comes with greater knowledge of individual differences and of the composition of the particular aggregate. This is to be contrasted with mathematical treatment of the facts of individual behavior in ignorance of differences among individuals.

For mutual understanding there must be agreement

in definition. For me "*probability, chance, and random*" mean ignorance," but evidently not for Mr. Gridgeman. What definitions for these words will exclude the ignorance implicit in "theory of probabilities"? Is the Goddess of Chance, which some scientists would have us worship, to masquerade as Pallas Athene, the Goddess of Wisdom?

Natural science may be defined as being knowledge for accurate prediction of what will happen in relations with other things than oneself, in whose separate existence we firmly believe. That knowledge is inevitably limited to those relations. Mathematics deals with arrangements of things, and thus provides patterns or frames of reference that may be extremely useful in handling varied arrangements in our relations with other things. It can do no more than this.

A. G. HUNTSMAN

Department of Zoology
University of Toronto

(Ed. Note: The editors consider the debate that was touched off by Dr. Huntsman's communication of two years ago concluded with the publication of this reply to his critics.)

Book Reviews

A Textbook of Geology. Robert M. Garrels. New York: Harper, 1951. 511 pp. \$5.00.

The eighth volume in Harper's "Geoscience Series," this handsome and competent book is introduced by its author as a new, analytical approach to the subject of geology, a view which this reader confirms. The same introduction acknowledges many omissions in the text (for example, the terms anticline, breccia, dip, drift, jointing, karst, lignite, monadnock, ore, and salt lake do not appear in the index), but stresses that its emphasis alternates between an "investigatory" and an "applicatory" approach rather than remaining at the simple expository level. Here is a well-written text of unusual charm and simplicity, illustrated with refreshingly new photographs, many valuable graphs, and other facile sketches. More mathematics is visible than occurs in many older texts, but not more than the average college student should master. The presentation of subject matter is unusually lucid, with much new material in the way of example, phraseology, and point of view. The professor who reads it will envy its clarity and praise its organization; the student who uses it should gain much perspective for a broad view of the geologic world; and the layman searching for an introduction to earth science should find it a useful and informative guide.

This is a bright volume which is less a fact book for class reference than a script of the lectures of a skilled and artistic teacher. It covers both physical geology and the history of the earth in 26 chapters,

with three short appendices on rocks, minerals, and the biologic classification; doubtless it is planned for one semester of geoscience, or for the geological portion of a general science offering. For a full year college course or the introductory course for geology majors, an instructor should document this readable volume with factual and informative material usually reserved for a textbook, or his students will acquire an excellent view of the forest without much acquaintance with trees.

HERBERT P. WOODWARD

Newark College of Arts and Sciences
Rutgers University

Scientific Book Register

The Kernel Function and Conformal Mapping. Stefan Bergman. New York: American Mathematical Society, 1950. 161 pp. \$4.00.

Aminoplastics. C. P. Vale. New York: Interscience; London: Cleaver-Hume, 1950. 250 pp. \$2.75.

The Rhododendron Leaf: A Study of the Epidermal Appendages. John MacQueen Cowan. Edinburgh, Scotland, and London, England: Oliver and Boyd, 1950. 120 pp. 21/- net.

Fundamentals of Electrical Engineering. Fred H. Pumphrey. New York: Prentice-Hall, 1951. 668 pp. \$5.75.

The Physiography of Southern Ontario. L. J. Chapman and D. F. Putnam. Toronto, Canada: Univ. Toronto Press, 1951. (Published for the Ontario Research Foundation.) 284 pp. and accompanying maps. \$4.00.

A New Theory of Gravitation. Jakob Mandelker. New York: Philosophical Library, 1951. 25 pp. \$2.75.