Drawing Circles with the NS32CG16; NS32CG16 Note 1

1.0 INTRODUCTION

The NS32CG16 is a 32-bit CMOS, graphics oriented processor. It is software compatible with other Series 32000® CPUs, with new instructions for high-speed graphics. The NS32CG16 is designed specifically for page-oriented printing technologies such as laser, LCS, LED, Ion-Deposition, and Ink Jet.

In this applications note, a method for high-speed circle generation will be described, using an optimized version of Bresenham's circle algorithm.

2.0 DESCRIPTION

A circle can be described by the center coordinates (xc, yc), the radius (r), and the width (w). With the Pythagorean theorem, pixels along the path described by the equation:

$$(x - xc)^2 + (y - yc)^2 = r^2$$

can be set for a width of w perpendicular to the tangent of the arc.

This, however, involves substantial computation for each point on the line. Even taking advantage of the symmetry of circles, a large number of instructions must be executed to calculate the path.

Bresenham's circle algorithm works by determining which of two pixels are nearer the actual circle at each step. Then, using symmetry, eight points on the circle's path can be determined. Applying the width (w) to each of these eight points yields a displayed (or imaged) circle. For the actual derivation of Bresenham's algorithm, see *Reference 1*, and *Reference 2*. This derivation was done by J. Michener.

Bresenham's algorithm can be implemented in the following manner:

1. Select the first position for display as

$$(x_1, y_1) = (0, r)$$

2. Calculate the first parameter as

 $p_1 = 3 - 2r$

If $p_1 <$ 0, the next position is (x_1 + 1, y_1). Otherwise, the next position is (x_1 + 1, y_1 - 1).

3. Continue to increment the x coordinate by unit steps, and calculate each succeeding parameter p from the preceding one. If for the previous parameter we found that $p_i < 0$ then

 $p_{i\,+\,1} = p_i \,+\, 4x_i \,+\, 6 \label{eq:pi_i}$ Otherwise (for $p_i \geq$ 0),

$$p_{i+1} = p_i + 4(x_i - y_i) + 10$$

Then, if $p_{i+1} < 0$ the next point selected is $(x_i+2,y_{i+1}).$ Otherwise, the next point is $(x_i+2,y_{i+1}-1).$ The y coordinate is $y_{i+1}=y_i$, if $p_i < 0$ or $y_{i+1}=y_i-1$, if $p_i \geq 0.$

4. Repeat the procedures in step 3 until the x and y coordinates are equal.

3.0 IMPLEMENTATION

With the path of the circle described, the pixels along the path can be set using the basic symmetry of the circle. Following is an example of Bresenham's circle algorithm in the C language, based on Michener's derivation.

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National Semiconductor Application Note 523 Dave Rand May 1988



circle(xc,yc,radius,width)
register unsigned int xc,yc,radius,width;

{

}

register int y, x, p; x = 0; y = radius; p = 3 - 2 * radius; while (x < y) { setgrp(xc,yc,x,y,width); if (p < 0) p += 4 * x + 6; else { p += 4 * (x - y) + 10; y'-; } x++; }

setgrp(xc,yc,x,y,width);

setgrp(xc,yc,x,y,width) register int xc,yc,x,y,width;

if $((y - x) <= (width / 2) {$ hset(xc + y, yc + x,width); hset(xc - y, yc + x, width);hset(xc + y, yc - x,width); hset(xc - y, yc - x,width); vset(xc + x, yc + y,width); vset(xc - x, yc + y,width); vset(xc + x, yc - y,width); vset(xc - x, yc - y,width); } vset(xc + y, yc + x,width); vset(xc - y, yc + x,width); vset(xc + y, yc - x,width); vset(xc - y, yc - x,width); hset(xc + x, yc + y,width); hset(xc - x, yc + y,width); hset(xc + x, yc - y,width); hset(xc - x, yc - y,width);

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The *setgrp* routine in the previous example uses symmetry to set eight points of the circle. *Setgrp* has a special case to handle the boundaries of the eight sections. When the distance between the boundaries is less than half the width of the circle, both vertical and horizontal lines are imaged for each section. The *vset* routine sets *width* pixels vertically in the image, centered around the second argument. The *hset* routine sets *width* pixels horizontally, centered around the first argument. Since these cases are so well defined, the NS32CG16 instructions *SBITPS* and *SBITS* are used for these routines.

The NS32CG16 implementation is very much like the C version, but is optimized for speed. Note the use of the *ADDR* instruction to do the two p_i computations, each in one line of 32000 assembly code.

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.data xwarp: equ 2544 #bits of xwarp to get to next scan .comm _page,4 hlfwdth:double 0 .text # #Bresenham's circle algorithm, as expressed in "Computer Graphics" by #Donald Hearn and M. Pauline Baker (1986, Prentice-Hall, #ISBN 0-13-165382-2) Inputs: # # r0 = x coodinate of centre of circle # r1 = y coodinate of centre of circle # r2 = width (in pixels) r3 = radius (in pixels) # # Outputs: # TL/EE/9664-3 ŧ no registers altered ŧ circle drawn in ram ŧ #Notes: This routine uses two special case line drawing routines: ŧ a horizontal case (called HLINE) ŧ a vertical case (called VLINE) ŧ A general purpose line drawing algorithm could be used, however the new 32CG16 instructions are much faster. ŧ If the line is to have a width of > 25 pixels, the BIGSET algorithm ŧ ŧ must be added to the $\ensuremath{\mathsf{HLINE}}$ routine. No other changes are required. . [r4,r5,r6,r7] #save our working registers circle: save r2,r7 movd #get current width \$-1,r7 lshd #divide by two r7,hlfwdth movd #and store it away 0.r4 movqd #x1 = 0 r3,r5 #yl = radius movd movqd 3,r6 #p = 3 - (radius * 2) subd r3,r6 subd r3,r6 br cirtest .align 4 cirlp: bsr setgrp #set a group of points cmpqd 0,r6 #is P less than zero? #no, it is not. skip blt pge0 6(r6)[r4:d],r6 #p += 4 * x1 + 6 addr addqd 1,r4 #x1 ↔ cirtest:cmpd r4,r5 #is x1 <= y1 ? ble cirlp #it is. Loop br cirotl .align 4 pge0: movd r4.r7 #t = x1 r5,r7 #t = x1 - y1 10(r6)[r7:d],r6 #p += 4 * (x1 - y1) + 10 subd addr addqd #y1 ----1.r5 addqd 1,r4 #x1 ++ r4,r5 #is x1 <= y1 ? cmpd cirlp #it is. Loop ble cirot1: bne cirout #if x1 != y1, get out bsr setgrp #else set last group cirout: restore [r4,r5,r6,r7] #restore working registers ret 0 #and return # #Setgrp sets eight points on a circle, given starting x and y, and the #current xoffset and y offset. # ŧ Inputs: # r0 = centerpoint of circle (x coodinate) TI /FF/9664-4

r1 = centerpoint of circle (y coodinate) ŧ # r2 = line widthr4 = x offset ŧ r5 = y offset ŧ # # Ouputs: all registers preserved. ŧ # .align 4 setgrp: movd r6,tos #get two temporary values movd r7,tos movd r0,r6 #save old x movd r1,r7 #and y movd r5,r1 subd r4,r1 **#**r1 = (y1 - x1) cmpd r1,hlfwdth #if the difference is less than ble sg1:w #half the width, fill in the edges movd r7,r1 #restore y addd r4.r0 #x += x1 addd r5,r1 #y += y1 bsr vline #do a vline movd r6,r0 #restore x and y movd r7,r1 addd #x += x1 r4,r0 #y -= y1 subd r5,r1 vline bsr #restore x and y r6,r0 movd movd r7,r1 subd r4.r0 #x -= x1 addd r5.r1 #y += y1 bsr vline #restore x and y movd r6.r0 movd r7,r1 #x -= x1 subd r4,r0 subd r5,r1 #y -= y1 bsr vline movd r6,r0 #restore x and y movd r7,r1 addd r5,r0 #x += y1 addd #y += x1 r4,r1 bsr hline movd r6,r0 #restore x and y movd r7,r1 #x += y1 addd r5,r0 #y -= x1 subd r4.r1 bsr hline movd r6,r0 #restore x and y movd r7,r1 #x -= y1 subd r5,r0 addd r4,r1 #y += x1 bsr hl ine movd r6,r0 #restore x and y movd r7,r1 subd r5,r0 #x -= y1

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r4,r1 hline r6,r0 r7,r1 tos,r7 tos,r6 0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r5,r1 hline vline r6,r0 r7,r1 hline vline r6,r0 r5,r1 hline vline r6,r0 r7,r1 hline r6,r0 r7,r1 hline r7,r1 hline r6,r0 r7,r1 hline r6,r0 r7,r1 hline r6,r0 r7,r1 r7	<pre>#y -= x1 #restore x and y #and unstack #restore y #x += x1 #y += y1 #do a hline #and a vline #restore x and y #x += x1 #y -= y1 #restore x and y #x -= x1 #y += y1 #restore x and y #x -= x1</pre>		
r6,r0 r7,r1 tos,r7 tos,r6 0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1	<pre>#and unstack #restore y #x += x1 #y += y1 #doa a hime #and a vline #restore x and y #x += x1 #y -= y1 #restore x and y #x -= x1 #y += y1 #restore x and y</pre>		
r7,r1 tos,r7 tos,r6 0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1	<pre>#and unstack #restore y #x += x1 #y += y1 #doa a hime #and a vline #restore x and y #x += x1 #y -= y1 #restore x and y #x -= x1 #y += y1 #restore x and y</pre>		
tos,r7 tos,r6 0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1	<pre>#restore y #x += x1 #y += y1 #do a hline #and a vline #restore x and y #x += x1 #y -= y1 #restore x and y #x -= x1 #y += y1 #restore x and y</pre>		
tos,r6 0 r7,r1 r4,r0 r5,r1 hline v1,r0 r5,r1 hline v1,r0 r5,r1 hline v1,r0 r5,r1 hline v1,r0 r5,r1 hline v1,r0 r5,r1 hline r6,r0 r7,r1 r4,r0 r5,r1	<pre>#restore y #x += x1 #y += y1 #do a hline #and a vline #restore x and y #x += x1 #y -= y1 #restore x and y #x -= x1 #y += y1 #restore x and y</pre>		
0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r7,r1 r4,r0 r5,r1	<pre>#x += x1 #y += y1 #do a hline #and a vline #restore x and y #x += x1 #y -= y1 #restore x and y #x -= x1 #y += y1 #restore x and y</pre>		
r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r5,r1 hline vline r6,r0 r5,r1 hline vline r6,r0 r5,r1	<pre>#x += x1 #y += y1 #do a hline #and a vline #restore x and y #x += x1 #y -= y1 #restore x and y #x -= x1 #y += y1 #restore x and y</pre>		
r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r5,r1 hline vline r6,r0 r5,r1 hline vline r6,r0 r5,r1	<pre>#x += x1 #y += y1 #do a hline #and a vline #restore x and y #x += x1 #y -= y1 #restore x and y #x -= x1 #y += y1 #restore x and y</pre>		
r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0	<pre>#y += y1 #do a hline #and a vline #restore x and y #x += x1 #y -= y1 #restore x and y #x -= x1 #y += y1 #restore x and y</pre>		
hline vline r6.r0 r7.r1 r4.r0 r5.r1 hline vline r6.r0 r7.r1 r4.r0 r5.r1 hline vline r6.r0 r7.r1 r4.r0 r5.r1	<pre>#do a hline #and a vline #restore x and y #x += xl #y -= yl #restore x and y #x -= xl #y += yl #restore x and y</pre>		
vline r6.r0 r7.r1 r4.r0 r5.r1 hline vline r6.r0 r7.r1 r4.r0 r5.r1 hline vline r6.r0 r7.r1 r4.r0 r7.r1 r4.r0 r7.r1 r4.r0	<pre>#and a vline #restore x and y #x += x1 #y -= y1 #restore x and y #x -= x1 #y += y1 #restore x and y</pre>		
r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r7,r1 r4,r0 r7,r1 r4,r0	<pre>#restore x and y #x += x1 #y -= y1 #restore x and y #x -= x1 #y += y1 #restore x and y</pre>		
r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1	<pre>#x += xl #y -= yl #restore x and y #x -= xl #y += yl #restore x and y</pre>		
r4,r0 r5.r1 hline vline r6.r0 r7.r1 r4.r0 r5.r1 hline vline r6.r0 r7.r1 r4.r0 r5.r1	<pre>#y -= yl #restore x and y #x -= xl #y += yl #restore x and y</pre>		
r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1	<pre>#y -= yl #restore x and y #x -= xl #y += yl #restore x and y</pre>		
vline r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1	#x -= xl #y += yl #restore x and y		
r6,r0 r7,r1 r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1	#x -= xl #y += yl #restore x and y		
r7.r1 r4.r0 r5.r1 hline vline r6.r0 r7.r1 r4.r0 r5.r1	#x -= xl #y += yl #restore x and y		
r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1	#x -= xl #y += yl #restore x and y		
r4,r0 r5,r1 hline vline r6,r0 r7,r1 r4,r0 r5,r1	fy += yl frestore x and y		
hline vline r6.r0 r7.r1 r4.r0 r5.r1	# restore x and y		
vline r6,r0 r7,r1 r4,r0 r5,r1			
r6,r0 r7,r1 r4,r0 r5,r1			
r7,r1 r4,r0 r5,r1			
r4,r0 r5,r1	#x -= x1		
r5,r1	#x -= x1		
hline	# y -= y1		
vline			
r6,r0	#restore x and y		
	# x += yl		
	•		
hline			
r6,r0	# restore x and y		
r7,r1			
r5,r0	#x += yl		
r4,r1	#y -= x1		
vline			
hline			
r6,r0	<pre>#restore x and y</pre>		
r7,r1			
r5,r0	#x -= yl		
r4,r1	#y += x1		
vline			
hline			
r6.r0	<pre>#restore x and y</pre>		
r7,r1			
r5,r0	#x -= y1		
r4,r1	#v v1		
vline	#y -= x1		
	r7,r1 r5,r0 r4,r1 vline hline r6,r0 r7,r1 vline hline r6,r0 r7,r1 vline hline r5,r0 r4,r1 vline hline r5,r0 r4,r1 vline	$r7, r1$ $r5, r0$ $fx \neq y1$ $r4, r1$ $fy \neq x1$ vline $fy \neq x1$ hline $r6, r0$ #restore x and y $r7, r1$ $rx \neq y1$ $r4, r1$ $fy = x1$ vline $fy = x1$ hline $r6, r0$ $r6, r0$ #restore x and y $r7, r1$ $fy = x1$ vline $fy = x1$ hline $r6, r0$ $r5, r0$ $fx -= y1$ $r4, r1$ $fy += x1$ vline $fy = x1$ r5, r0 $fx -= y1$ $r6, r0$ #restore x and y $r7, r1$ $r5, r0$ $r5, r0$ $fx -= y1$	r7,r1 r5,r0 $\#x \neq y1$ r4,r1 $\#y \neq x1$ vline hline r6,r0 $\#$ restore x and y r7,r1 r4,r1 $\#y = x1$ vline hline r6,r0 $\#$ restore x and y r7,r1 r5,r0 $\#x \rightarrow y1$ r4,r1 $\#y \neq x1$ vline hline r6,r0 $\#$ restore x and y r7,r1 r5,r0 $\#x \rightarrow y1$ r4,r1 $\#y \neq x1$ vline hline r5,r0 $\#x \rightarrow y1$ r4,r1 $\#y \neq x1$ vline hline r5,r0 $\#x \rightarrow y1$ r5,r0 $\#x \rightarrow y1$ r6,r0 $\#$ restore x and y r7,r1 r5,r0 $\#x \rightarrow y1$

```
hline
       bsr
       movd
               r6,r0
                             #restore x and y
               r7,r1
       movd
                             #and unstack
               tos,r7
       movd
       movd tos.r6
              0
        ret
ŧ
#A vertical line drawing algorithm, making use of the SBITPS instruction.
ŧ
ŧ
       Inputs:
               r0 = x coodinate of line
ŧ
ŧ
               r1 = centerpoint of y coordinate of line
               r2 = line length
#
#
ŧ
      Outputs:
               no registers altered.
ŧ
#
               line drawn in memory.
#
       .align 4
vline: save [r0,r1,r2,r3] #save working registers
subd hlfwdth,r1 #y -= half of width to centre vline
addr @(xwarp-1),r3 #r3 = xwarp -1
       restore [r0,r1,r2,r3] #restore registers
        ret 0
#
#A horizontal line drawing algorithm, using SBITS.
ŧ
ŧ
        Inputs:
              r0 = centerpoint of x coordinate
ŧ
#
               r1 = y coodinate of line
              r2 = line length
ŧ
ŧ
       .align 4
hline: save [r0,r1,r3]
subd hlfwdth,r0
                             #save working registers
                             #x -= half of width to centre values
        indexd r1.(xwarp - 1).r0 # bit off = (y * xwarp) + x
       movd _page,r0  #page address in r0
addr stab,r3  #address of sbits ta
                              #address of sbits table
        SBITS
        restore [r0,r1,r3]
        ret 0
```

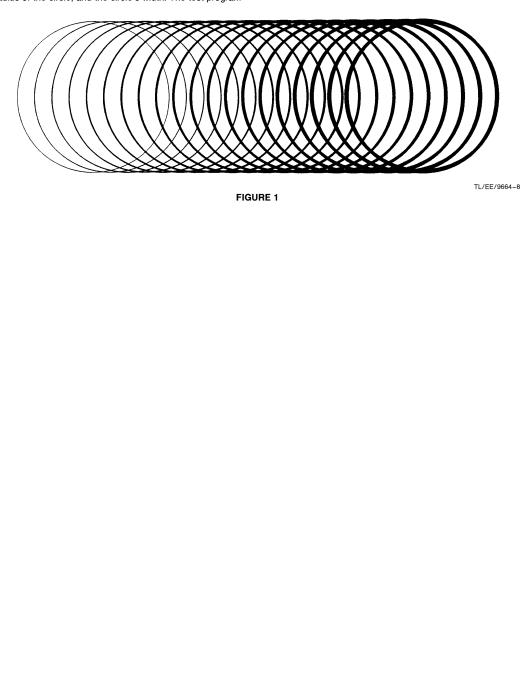
TL/EE/9664-7

Figure 1 shows this algorithm 'at work'. 20 circles of radius 350 pixels, and widths of 1 to 20 pixels are shown. A full listing of this test program is shown in *Figure 2*.

4.0 TIMING

The execution speed of this algorithm is dependent on the radius of the circle, and the circle's width. The test program

supplied executes in 2.92 seconds on a NS32016 at 10 MHz with no wait states. The execution time on the NS32CG16 at 15 MHz with no wait states is 1.54 seconds. By using macros for the VLINE and HLINE routines, instead of subroutine calls, the time can be further reduced to 1.39 seconds.



```
.data
   .set xwarp,2544
.comm _page,4
hlfwdth:.double Ø
                                                                               #bits of xwarp to get to next scan
                      .text
    #
# Test is a C - Cattance
#
__test: save [r3,r4,r5,r6,r7]
_ ddr @490,r0 #start at x=400
addr @490,r1 # y=400
movoqd 1,r2 #width = 1
addr @350,r3 #radius = 350
addr @20,r7 #we want to do 20 circles
lp: bsr circle #do a circle
addr 80(r0),r0 #x += 80
addqd 1,r2 #width += 1
actd = 1,r7,lp #loop for all 20 circles
restore [r3,r4,r5,r6,r7]
ret 0 #and return
    # Test is a C - callable function that creates Figure 1.
   #Bresenham's circle algorithm, as expressed in "Computer Graphics" by
#Donald Hearn and M. Pauline Baker (1986, Frentice-Hall,
#ISBN Ø-13-165382-2)
    #
#
                       Inputs:
                                        rØ = x coodinate of centre of circle
r1 = y coodinate of centre of circle
r2 = width (in pixels)
r3 = radius (in pixels)
    # # # #
    .###
                      Outputs:
                                        no registers altered 
circle drawn in ram
    #
    #
    #Notes:
                      This routine uses two special case line drawing routines:
a horizontal case (called HLINE)
    #
#
                      a horizontal case (called MLINE)
a vertical case (called VLINE)
A general purpose line drawing algorithm could be used, however
the new 32CG16 instructions are much faster.
If the line is to have a width of > 25 pixels, the BIGSET algorithm
must be added to the HLINE routine. No other changes are required.
    #
     "
#
#
    "
#
#
    #
                                       [r4,r5,r6,r7] #save our working registers
r2,r7 #get current width
   circle: save
movd
                                                                                                                                                                                                                                                           TL/EE/9664-9
                                                                                                                                           FIGURE 2
```

```
#divide by two
#and store it away
#x1 = 0
#y1 = radius
#p = 3 - (radius * 2)
                                    lshd
                    movd
                   movqd
                    movd
                    movqd
                                     r3,r6
r3,r6
                    subd
                   subd
                  br
.align
                                     cirtest
                                     4

        4
        4

        setgrp
        #set a group of points

        Ø,r6
        #is P less than zero?

        pgeØ
        #ho, it is not. skip

        6(r6)[r4:d],r6
        #p += 4 * x1 + 6

        1,r4
        #1 ++

        r4,r5
        #is x1 <= y1 ?</td>

 cirlp: bsr
                  cmpqd
blt
addr
                                     1,r4
r4,r5
cirlp
                    addqd
 cirtest:cmpd
                   ble
                                                                         #it is. Loop
                   br
                                     cirout
                    .align 4
.align 4

pge9: movd r4,r7 #t = x1

subd r5,r7 #t = x1 - y1

addr 19(r6)[r7:d],r6 #p += 4 * (x1 - y1) + 19

addqd -1,r5 #y1 --

addqd 1,r4 #x1 ++

cmpd r4,r5 #is x1 <= y1 ?

ble cirlp #it is.Loop

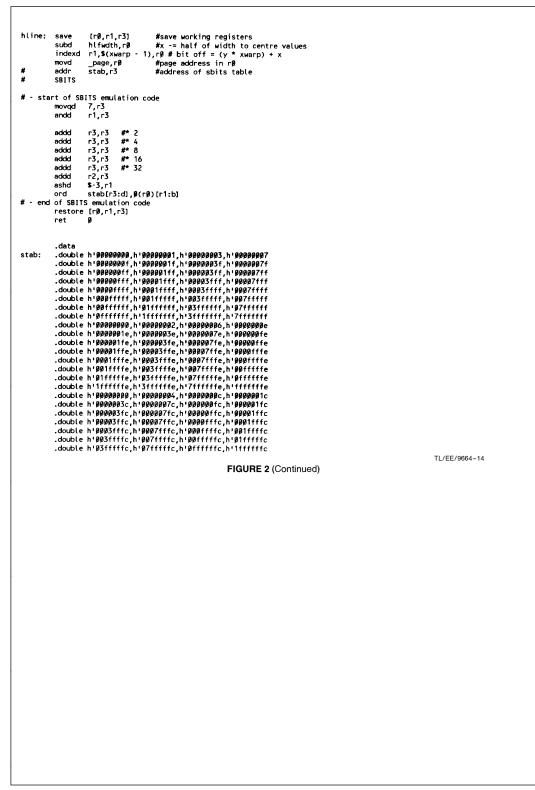
cirout: restore [r4,r5,r6,r7] #restore working registers

ret 9 #and return
 #
 "
#Setgrp sets eight points on a circle, given starting x and y, and the
#current xoffset and y offset.
 ******
                    Inputs:
                                    r \beta = centerpoint of circle (x coodinate)
r1 = centerpoint of circle (y coodinate)
r2 = line width
r4 = x offset
                                     r5 = y offset
                 Ouputs:
all registers preserved.
                    .align 4
                                  r6,tos
r7,tos
rØ,r6
  setgrp: movd
movd
                                                                         #get two temporary values
                                                                         #save old x
                    movd
                                                                                                                                                                                                                                  TL/EE/9664-10
                                                                                                                  FIGURE 2 (Continued)
```

movd	r1,r7	#and y
movd	r5,r1	
subd	r4,r1	#r1 = (y1 - x1)
cmpd	r1,hlfwdth	#if the difference is less than
ble	sg1	#half the width, fill in the edges
movd	r7,r1	#restore y
addd	r4,rØ	#x += x1
addd	r5,r1	#y += y1
bsr	vline	#do a vline
movd	r6,rØ	#restore x and y
movd	r7,r1	
addd	r4,rØ	#x += x1
subd	r5,r1	#y -= y1
bsr	vline	
movd	r6,rØ	#restore x and y
movd	r7,r1	
subd	r4,rØ	#x -= x1
addd	r5,r1	#y += y1
bsr	vline	Hereberg and and the
movd	r6,rØ	#restore x and y
movd	r7,r1	4 ×1
subd	r4,r0	#x -= x1 #y -= y1
subd	r5,r1	#y -= y1
bsr	vline	
movd	r6,rØ	#restore x and y
mova	го,ги г7,г1	
addd	r5,rØ	#x += y1
addd	r4,r1	#y += x1
bsr	hline	-,
movd	r6,rØ	#restore x and y
movd	r7,r1	
addd	r5,rØ	#x += y1
subd	r4,r1	#y -= x1
bsr	hline	
movd	r6,rØ	#restore x and y
movd	r7,r1	
subd	r5,rØ	#x -= y1
addd	r4,r1	#y += x1
bsr	hline	
movd	r6,rØ	#restore x and y
movd	r7,r1	H
subd	r5,rØ	#x -= y1
subd	r4,r1 hline	#y -= x1
bsr	r6,rø	#restore x and y
movd	r7,r1	HIESLUIC A DIA Y
movd	tos,r7	#and unstack
liiova	,	TL/EE/9664–11
		FIGURE 2 (Continued)
1		
1		
1		

	movd ret	tos,r6 Ø				
sg1:	movd	r7,r1	#restore y			
syn.	addd	r4,rØ	#x += x1			
	addd	r5,r1	#y += y1			
	bsr	hline	#do a hline			
	bsr movd	vline r6,rØ	#and a vline #restore x and y			
	movd	r7,r1	Wiestore x and y			
	addd	r4,rØ	#x += x1			
	subd	r5,r1	#y -= y1			
	bsr bsr	hline vline				
	movd	r6,rØ	<pre>#restore x and y</pre>			
	movd	r7,r1				
	subd	r4,rØ	#x -= x1			
	addd bsr	r5,r1 hline	#y += y1			
	bsr	vline				
	movd	r6, r ₿	<pre>#restore x and y</pre>			
	movd	r7,r1				
	subd subd	r4,rø r5,r1	#x -= x1 #y -= y1			
	bsr	hline	<i>wy</i> - <i>y</i>			
	bsr	vline				
		n6 n8	Handson			
	movd movd	r6,rØ r7,r1	#restore x and y			
	addd	r5,rØ	#x += y1			
	addd	r4,r1	#y += x1			
	bsr	vline				
	bsr movd	hline r6,rØ	#restore x and y			
	movd	r7,r1	Wiestore x and y			
	addd	r5,rØ	#x += y1			
	subd	r4,r1	#y -= x1			
	bsr bsr	vline hline				
	movd	r6,rØ	#restore x and y			
	movd	r7, r1				
	subd	r5,rØ	#x -= y1			
	addd bsr	r4,r1 vline	#y += x1			
	bsr	hline				
	movd	r6,rØ	<pre>#restore x and y</pre>			
	movd	r7,r1				
	subd	r5,rØ	#x -= y1		TL/EE/9664-12	
				FIGURE 2 (Continued)	12/22/0004-12	
				,		

```
r4,r1
vline
hline
                                                    #y -= x1
              subd
             bsr
bsr
             movd
movd
                          r6,r9
r7,r1
tos,r7
tos,r6
                                                     #restore x and y
             movd
                                                     #and unstack
             movd
              ret
                           ø
#
#A vertical line drawing algorithm, making use of the SBITPS instruction.
#
Inputs:
                         rØ = x coodinate of line
r1 = centerpoint of y coordinate of line
r2 = line length
#
#
#
#
             Outputs:
no registers altered.
#
#
 #
#
                          line drawn in memory.
#
    .align 4
    .lign 4
    vline: save [rß,r1,r2,r3] #save working registers
    subd hlfwdth,r1 #y -= half of width to centre vline
    addr @(xwarp-1),r3 #r3 = xwarp -1
    indexd r1,r3,rØ #bit off = y * (xwarp) + x
    addqd 1,r3 #move to correct warp value
    movd _page,rØ #page address in rØ
# SBITPS #set bit perpendicular string
# - Start of SBITPS emulation code
#
#A horizontal line drawing algorithm, using SBITS.
 # # # #
             Inputs:
                         rØ = centerpoint of x coordinate
r1 = y coodinate of line
r2 = line length
 #
#
             .align 4
                                                                                                                                                                        TL/EE/9664-13
                                                                                   FIGURE 2 (Continued)
```



.double h'3ffffffc,h'7ffffffc,h'fffffffc,h'ffffffc
double h'000000000, h'00000008, h'00000018, h'00000038
.double h'0000078,h'00000f8,h'000001f8,h'00003f8
.double h'000007f8,h'00000ff8,h'00001ff8,h'00003ff8
.double h'90907ff8,h'9000fff8,h'9091fff8,h'9093fff8
.double h'0007fff8,h'000ffff8,h'001ffff8,h'003ffff8
.double h'007ffff8,h'00fffff8,h'01fffff8,h'03fffff8
.double h'Ø7fffff8,h'Øffffff8,h'1ffffff8,h'3ffffff8
.double h'7ffffff8,h'ffffff8,h'ffffff8,h'ffffff8,h'ffffff8
.double h'00000000, h'00000010, h'00000030, h'00000070
.double h'000000f0,h'000001f0,h'000003f0,h'000007f0
.double h'00000ff0,h'00001ff0,h'00003ff0,h'00007ff0
.double h'0000fff0,h'0001fff0,h'0003fff0,h'0007fff0
.double h'000ffff0,h'001ffff0,h'003ffff0,h'007ffff0
_double h'00fffff0,h'01ffff0,h'03fffff0,h'07fffff0
.double h'ØffffffØ,h'1fffffØ,h'3fffffØ,h'7fffffØ
.double h'ffffffø,h'fffffø,h'ffffffø,h'fffffø,h'ffffffø
.double h'00000000,h'00000020,h'00000060,h'00000000
.double h'000001e0,h'000003e0,h'000007e0,h'00000fe0
.double h'00001fe0,h'00003fe0,h'00007fe0,h'0000ffe0
.double h'0001ffe0,h'0003ffe0,h'0007ffe0,h'000fffe0
.double h'001fffe0,h'003fffe0,h'007fffe0,h'00ffffe0
.double h'Ø1ffffeØ,h'Ø3ffffeØ,h'Ø7ffffeØ,h'ØfffffeØ
.double h'1fffffeØ,h'3fffffeØ,h'7fffffeØ,h'ffffffeØ
.double h'ffffffeØ,h'ffffffeØ,h'ffffffeØ,h'ffffffeØ
.double h'000000000,h'00000040,h'000000000,h'000001c0
.double h'000003c0,h'000007c0,h'00000fc0,h'00001fc0
.double h'80003fc0,h'00007fc0,h'0000ffc0,h'0001ffc0
.double h'0003ffc0,h'0007ffc0,h'000fffc0,h'001fffc0
.double h'003fffc0,h'007fffc0,h'00ffffc0,h'01ffffc0
.double h'Ø3ffffcØ,h'Ø7ffffcØ,h'ØfffffcØ,h'1fffffcØ
.double h'3fffffcØ,h'7fffffcØ,h'ffffffcØ,h'ffffffcØ
.double h'ffffffcØ,h'ffffffcØ,h'ffffffcØ,h'ffffffcØ
.double h'90000000, h'9000080, h'90000180, h'90000380
.double h'00000780,h'00000180,h'00001180,h'00003180
.double h'00007f80,h'0000ff80,h'0001ff80,h'0003ff80
.double h'0007ff80,h'000fff80,h'001fff80,h'003fff80
<pre>-double h'007fff80,h'00ffff80,h'01ffff80,h'03ffff80 -double h'007fff80,h'00ffff80,h'01ffff80,h'03ffff80</pre>
.double h'07ffff80,h'0fffff80,h'1fffff80,h'3fffff80
.double h'7fffff80,h'fffff80,h'fffff80,h'fffff80
.double h'ffffff8Ø,h'ffffff8Ø,h'ffffff8Ø,h'ffffff8Ø,h'fffffff

TL/EE/9664-15

FIGURE 2 (Continued)

5.0 CONCLUSIONS

The NS32CG16 provides several instructions that increase the speed of imaging common graphic items such as circles, lines, and ellipses. The NS32CG16's high code density, and fast execution, make it ideal for intensive graphics processing.

This algorithm does, however, show an apparent 'thinning' on the 45° boundaries, when the width of the circle is greater than five pixels. An alternate algorithm will be presented in a future applications note. This algorithm is optimized for speed.

6.0 REFERENCES

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