

PET[®]

MACHINE

LANGUAGE

GUIDE



By ABACUS SOFTWARE

PET MACHINE LANGUAGE GUIDE

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INTRODUCTION

For those of you who are not satisfied with programming only in the BASIC language, for those of you who cannot make BASIC run fast enough for your applications, for those of you who are curious about the inner workings of your PET, or for those of you who just want to buy another manual, this guide is dedicated.

The information contained in this guide was not readily available from a single source when writing began on it. I've had to hunt, scrape, rummage, and experiment for most of it. The on-off switch on my PET is nearly worn out from use, having had to power it off and back on after crashing the operating system countless times.

This manuscript is entitled "PET Machine Language Guide". You are probably familiar with the low level languages or the title would not have attracted your attention. This guide is not intended to be a tutorial on programming in machine language. It is intended to be a reference for the machine language programmer who wants to use the built-in features of the PET. There is no use in "reinventing the wheel" if you can use the wheels already supplied with your PET, referring of course to the built-in routines. Many programmers are commanding more than \$15 per hour for their services. If this guide saves you an hour's time by showing you new or improved ways to program, then I'd like to think that the guide has more than paid for itself.

The routines used in this guide are relatively simple. The routines use a very small portion of the 6502 instruction set. The beginning machine language programmer should have little trouble learning the instructions that are used here. The beginner should stick to simple and straightforward routines at first. Save the fancy instructions and addressing modes for a later time. Loads and stores, compares and branches, and the routines outlined here will take the beginner a long way towards understanding machine language programming.

As far as I can tell, the routines presented here will run on all PET's produced to date. I have tested all of them and all have run without problems. Although many machine language monitors are available for the PET (mostly through the popular user groups), I have chosen to use the Commodore-supplied monitor because of its general availability to all PET owners. If you don't have a copy of the Commodore machine language monitor, then you should see your PET dealer or write directly to Commodore. It is a versatile piece of software and does a nice job in allowing me to quickly enter machine language routines into my PET.

As this guide goes to press, Commodore has announced the availability of their new 16K and 32K PETs. It remains to be seen whether major operating system changes have been incorporated into these new models.

For those of you with criticism, comments, corrections, questions, or praise, I would be glad to hear from you. I'm hoping that you feel that you are getting your money's worth from this guide. With the prices of books and manuals as high as they are these days, ABACUS SOFTWARE is trying to provide you with practical and useful information at a reasonable cost.

THANK YOU.

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MACHINE LANGUAGE PROGRAMMING

Shortly after the PET was born, it learned to speak in a machine language dialect called 6502ese. Commodore later on, taught the PET to speak a foreign language, BASIC. Now the PET uses BASIC to talk to you because it realizes that most of you are well-versed in the BASIC language.

Since PET learned to speak 6502ese first, it prefers to think in its native language. If you speak to it in BASIC, the PET will require a little extra time to translate the BASIC into 6502ese, but it will understand you. The PET is no different from those of you who are bilingual. You may speak more than one language, but all of your thought processes are carried out in your native language.

Now BASIC is not your native language, but it more closely resembles your native language than does 6502ese. So if I talk to you in 6502ese, it will probably take you a little time to translate the ideas into terms that you can understand.

A machine language program is a series of binary instructions that directs the microprocessor to carry out very elementary tasks. The instructions perform very primitive functions - reading and writing, adding and subtracting, shifting and rotating, anding and oring - functions that involve a single memory location.

Machine language programming involves considerable effort when routines of any sizeable length are to be written. The programmer must keep account of the memory locations that the instructions reference. He must insert the representation of those locations into the series of instructions. If the programmer later on decides to insert additional instructions into the program, then he may very well have to change several of the previously calculated memory locations. Programming in machine language becomes very tedious and error-prone.

Assembly language programming is a step up from machine language programming. Machine instructions are defined mnemonically. Memory locations are symbolically referenced. An assembler program processes the assembly language statements, converts the mnemonics into their

machine language equivalents and converts the symbolic references to memory locations into their appropriate binary equivalents. Programming in assembler language is much less error-prone than in machine language but remains a tedious job.

Machine language and assembler language programs operate on very primitive data elements. High level languages such as BASIC are designed to operate on more sophisticated data structures. Programming in high level languages relieves the programmer of much of the tedious work associated with the lower level languages. Programs can be written in less time and are less error-prone. You must pay a price for the advantages which a high level language provides. The price is an increase in the amount of memory used and an increase in run time. Remember that the PET has to translate the foreign language BASIC into 6502ese before it can understand what you want it to do for you. BASIC therefore runs slower than pure machine language instructions.

Now that I've convinced you that machine language programs will run circles around BASIC programs, I will lead you through the steps of building a machine language program.

Firstly you must have a clear understanding of just what it is that your program is to accomplish. You must decide upon an approach to take in building that program. Unfortunately this step is often given too little thought. The programmer is too anxious to get into the programming step that the program suffers. The author hasn't clearly thought out the method. This step is vital regardless of the programming language used. It must be addressed for a program written in BASIC as well as machine or assembly language.

For example, I decide that I need to compute the logarithm (in base 10) of various arguments. I could approach this program in several ways: a) creating a table of the logarithms and looking them up as needed; b) finding the logarithm from scratch by using a complex series of formulas; c) using a derivative of a built-in function. By using the PET's built-in function I can create a very simple program. This eliminates the need for a complex program thereby simplifying the overall task to be done, namely to compute the common logarithm for a given argument.

Secondly you have to decide where in memory you will place the machine language program. Most machine language programs will run alongside a BASIC program. So you must make sure that the machine language program is protected from destruction by BASIC or the operating system. The article following this one will cover this in detail. For most machine language programs you can use the PET's second cassette buffer (memory locations 826 to 1017).

Thirdly you have to write the program itself. Without the aid of an assembler program, you will have to hand-assemble the assembler language source. I'll leave it to you to find a way of generating the resultant machine language code. I'd advise you to keep your routines as short as possible if you must resort to hand-assembly techniques. Also take advantage of the routines that are described in this manual. They will save you much time and effort. The bibliography at the end of this manual lists several sources for assembler programs for the PET.

Forthly you have to decide how you will put the resultant machine language program into memory. You can poke the program into memory from a BASIC program. An alternative way is to use a machine language monitor. This is by far the superior alternative. By using the monitor you can also alter and display memory, and you can save and reload your programs on cassette. Of course the assembler programs will probably assemble code directly into PET's memory.

Lastly you have to decide how you will test your new programs. It isn't too often that I write a program which runs correctly the first time that I try it. Once again the machine language monitor offers some help in testing these programs. By inserting special instructions into the program to be tested, you can cause the program to temporarily halt execution. At this time you can examine the contents of memory and registers and alter them if you desire. Then you can continue execution of the program from this breakpoint. If you don't use a monitor, then you will have to test blindly. A single bad instruction in the program could hang up the PET forcing you to turn it off and back on to recover from the error.

PROTECTION OF MACHINE LANGUAGE ROUTINES

When the PET is turned on or the reset function is called, the operating system initialized PET's memory for BASIC. It sets up its working areas, constants and pointers so as to maximize the number of BASIC statements which can be fitted into the limited amount of available memory.

No problems arise with this method of initializing until you want to use a machine language routine. The problem is: "where in memory should the routine be placed so that BASIC does not destroy the routine?". Commodore recommends that you use the cassette buffer for the second tape drive. This provides you with 192 memory locations into which you can place your routine.

But what if the routine is larger than 192 memory locations? Or what if the second cassette buffer is being used? The easiest way to insure that the machine language routine will not be destroyed by BASIC is by making BASIC think that the amount of memory available to it is somewhat smaller than the actual amount of memory.

On reset, the operating system determines the actual amount of memory available. The operating system does this by writing a specific character to a single memory location and then rereading this same location. If the character read is the same as the character written then that memory location really exists. This same procedure is then tried to the next higher memory location. When the character read is not the same as the character written, then it is determined that the previous write and read was to the highest available memory location. This location is placed in the pointer at \$86-\$87. BASIC uses this pointer to determine how much working area it can use for itself.

If you alter this pointer before BASIC begins storing statements, variables, etc., then you can "protect" a machine language routine from destruction by BASIC. In an 8K PET, the pointer normally contains \$00 20 (LSB,MSB). If you change the pointer to \$00 1C you will protect the 512 memory locations from \$1C00 to \$2000. The most straightforward way to change the pointer is to POKE the pointer with the altered values. Locations \$86-\$87 correspond to 134 and

135 in POKE statements. Thus to protect a machine language routine which begins at \$1C00 you would do the following:

```
POKE 134,0      LSB = $00 = 0
POKE 135,28     MSB = $1C = 28
```

These statements should be executed in direct mode before any BASIC statements are stored. With the pointer altered, BASIC is not aware that memory locations greater than \$1C00 exist. A machine language routine placed anywhere between \$1C00 and \$2000 is free from being destroyed by BASIC.

CLOCKS AND TIMERS

Every computer has at least one clock which paces the execution of its instructions. The PET user has access to several of these clocks. You are free to use the clocks for whatever purpose you desire providing that you understand the method of operation. The following lists several of the clocks:

- 1) \$0200- increments every 1092.1667 seconds
- 2) \$0201- increments every 4.2667 seconds
- 3) \$0202- increments every 1/60th of a second
- 4) \$E848- decrements every microsecond(.000001 second)
- 5) \$E849- decrements every 256 microseconds.

The clocks at memory locations \$0200-0202 work together to form the "jiffie" clock. The register at \$0202 increments every 1/60th of a second. It counts upward from 0 to 255. When it rolls over from 255 to 0, it causes the register at \$0201 to be incremented by one. Similarly, the register at \$0201 counts from 0 to 255, and when it rolls over to 0, it causes the register at \$0200 to be incremented by one.

Thus the register at \$0201 increments every $1/60 * 256 = 4.2667$ seconds and the register at \$0200 increments every $1/60 * 256 * 256 = 1092.1667$ seconds.

When the BASIC user accesses TI, the jiffie clock, he is actually accessing the three continuous bytes of memory starting at \$0200. The BASIC statement $T = TI$ assigns to the variable "T", the value in registers \$0200-\$0202. The builtin function converts the three byte binary value at those locations to the floating point variable "T".

When you as the BASIC user access TI\$, the time of day clock, the PET software is actually converting the jiffie clock to the time of the day. The following algorithm is similar to the conversion routine that is performed by the PET in evaluating TI\$:

```
HH = INT(TI/(60*60*60))
MM = INT((TI-(HH*60*60*60))/(60*60))
SS = INT((TI-(HH*60*60*60)-(MM*60*60))/60)
```

The jiffie clock begins counting when the PET is turned on. It initially has a value of zero when first powered on. It continues counting upwards from zero unless reset by a BASIC assignment `TI$="HHMMSS"` which converts the HHMMSS of `TI$` to jiffies as below:

$$TI = (HH*60*60*60) + (MM*60*60) + (SS*60)$$

You may use the jiffie clock to time various functions. Below is an example of a routine which will inform you when ten seconds have elapsed:

```
10 S=TI: REM SAVE STARTING JIFFIE COUNT
20 PRINT"START OF INTERVAL HAS BEGIN"
30 IF TI-S<10*60 THEN 30: REM LOOP UNTIL 10 SECS. ELAPSE
40 PRINT"TEN SECONDS HAVE ELAPSED"
```

You may also use the jiffie clock to time short intervals. Below is an example of a routine which computes the time that it takes you to react to a message that is displayed on the screen. The routine will flash a message on the screen and wait for you to depress any key.

```
10 PRINT"(CLR CD CD CD)WHEN YOU SEE THE NEXT MESSAGE
    APPEAR ON"
20 PRINT"(CD)THE SCREEN, DEPRESS ANY KEY AND I WILL"
30 PRINT"(CD)MEASURE YOUR REACTION TIME."
40 PRINT"(CD)":TAB(12);"GET READY"
50 DELAY=TI: REM START OF WAIT PERIOD
60 IF TI-DELAY<60*3 THEN 60: REM WAIT A FEW SECONDS
70 PRINT"(CLR)"
80 DELAY=TI
90 IF TI-DELAY<60*3 THEN 90: REM WAIT A FEW MORE SECONDS
100 PRINT "(CD CD CD CD)"
110 POKE 525,0: REM IGNORE ANY KEYS ALREADY DEPRESSED
120 PRINT"PRESS ANY KEY NOW"
130 S=TI: REM START TIMING
140 GET A$: IF A$="" THEN 140: REM LOOP UNTIL KEY DEPRESSED
150 P=TI: REM END OF TIMING LOOP
160 PRINT"(CD CD)YOUR REACTION TIME WAS"(P-S)/60 "SECONDS"
170 END
```

The above routine is suitable for measuring intervals which do not require more resolution than several jiffies. A BASIC statement may require several milliseconds for execution, so the jiffie clock cannot resolve very small

time intervals.

When high resolution timing is required, you must write routines at a machine language level. The register at \$E848 counts down from 255 to 0 every microsecond. When it reaches zero, it rolls over to 255 again and causes the register at \$E849 to count down by one. Thus every 256 microseconds, register \$E849 is decremented. Technically we call these registers timers and not clocks. The timers are similar to the familiar "oven timer". Once set, it would count down. When it reached zero the little bell would go off. This is similar to how the PET's timers work.

The following routine is a rough estimate of the time that is required to count to 100 in machine language. The routine uses the microsecond timers at \$E848-\$E849. Keep in mind that they count downwards from 255 to 0.

ADDR	VALUE	LABEL	OPC	OPERAND	COMMENTS
033A	A9 00		LDA	#\$00	reset accumulator
033C	8D 49 E8		STA	\$E849	reset timer
033F	8D 48 E8		STA	\$E848	" "
0342	C8		CLC		clear carry flag
0343	D8		CLD		insure binary mode
0344	69 01	LOOP	ADC	#01	add to accumulator
0346	C9 64		CMP	#100	compare for 100
0348	D0 FA		BNE	LOOP	loop if not done
034A	AD 48 E8		LDA	\$E848	save the two
034D	AE 49 E8		LDX	\$E849	..timers in A,X
0350	00		BRK		

After running the above program using the Commodore machine language monitor the following results appeared:

PC	SR	AC	XR	YR	SP
0351	xx	3A	FD	xx	xx

$$\begin{array}{r}
 100 \\
 -FD \\
 \hline
 03
 \end{array}
 \qquad
 \begin{array}{r}
 100 \\
 -3A \\
 \hline
 C6=198_{10}
 \end{array}$$

+-----966 microseconds

3*256=768₁₀-----

The 966 microseconds is an interval which could not be measured with the jiffie clock whose resolution is only .01600 seconds.

SCREEN DISPLAY AND CURSOR POSITIONING

The PET uses a memory mapped video display. Characters are displayed on the screen by storing the binary coded representation into reserved memory locations. Each reserved memory location is associated with a specific screen position. Ascending memory locations are displayed on the screen from left to right, and from top to bottom, in a pattern identical to reading a page in a book. These memory locations begin at \$8000 and extend to \$83E7. Memory location \$8000 is displayed on the screen at the upper left-hand corner while memory location \$83E7 appears at the lower right-hand corner. These memory locations account for the 1000 display positions on the PET's screen.

There are two basic ways to write to the screen: by storing characters directly into the video display memory or by using the operating system's routines which in turn write to the screen.

The first method of screen display is similar to poking memory from BASIC. One character's coded representation is stored into a mapped memory location. The exact location is determined by where you want the character to appear on the screen. POKE 32768,1 will cause the letter "A" to appear at the upper left-hand corner of the screen. Location 32768 corresponds to \$8000 and '1' is the coded representation for the letter "A".

The screen display hardware expects the mapped memory to contain a coded representation different from PET's ASCII code. The screen display's coded representation closely resembles the ASCII code. Bit 1 of the ASCII code is dropped. These resulting codes represent the 64 normal printable characters. By using bit 1, an additional 64 graphic characters can be represented. This gives 128 printable characters. Finally by using bit 0, the above 128 printable characters can be reversed. This allows for a total of 256 different printable characters.

The following short routine will display the characters that result from storing values into the mapped memory. The values are in ascending sequence from 0 to 255 and cause a unique character to appear on the screen. Thus poking a '0' generates a "@", '1' generates a "A", '2' generates a "B", etc.

```

10 FOR I=0 TO 255:      REM   CODED REPRESENTATION
20 :                   REM   .FOR VIDEO HARDWARE
30 :                   REM   ..AND INDEX FOR SCREEN LOC.
40 POKE 32768,I:        REM   STORE INTO MAPPED MEMORY
50 NEXT I:              REM   REPEAT 255 TIMES
60 END

```

Of course if yo prefer to do the same thing in a machine language routine, the following will accomplish the same goal:

ADDR	VALUE	LABEL	OPC	OPERAND	COMMENTS
033A	A2 00		LDX	#00	zero index register
033C	8A	LOOP	TXA		copy into accumulator
033D	9D 00 80		STA	\$8000,X	display on screen
		*			.via mapped memory
0340	E8		INX		bump to next character/
		*			.next screen position
0341	D0 F9		BNE	LOOP	repeat 255 times
0343	00		BRK		

The second method of display involves the use of the operating system's display routines. These routines make use of the cursor position registers. When calling an output to screen routine such as WRT or STROUT, the PET will begin writing at the screen position pointed to by the cursor position registers.

These registers are located at \$E0-\$E2. The register pair at \$E0-\$E1 contains the mapped memory location(least significant byte, most significant byte) of the screen line at which the cursor is currently positioned. The register at \$E2 contains the number of positions into the line at which the cursor is currently positioned. The operating system calculates the screen position by adding the contents of the register \$E2 to #E0-\$E1 to produce the mapped memory location for the cursor display. If the cursor were positioned at line 2, position 10 of the screen, then the cursor registers would contains:

registers-----	\$E0	\$E1	\$E2
contents-----	28	80	0A
	LSB	MSB	----
	-addr of line-		
			----position within line

If you want to write a string at a specific location on the screen, you would set the cursor position registers with the appropriate values before calling the STROUT subroutine. The example below demonstrates how you would write the string "ABC" to the screen starting at line 11, position 20:

ADDR	VALUE	LABEL	OPC	OPERAND	COMMENTS
033A	A9 68		LDA	#\$90	set up the
033C	85 E0		STA	\$E0	.cursor position
033E	A9 81		LDA	#\$81	..registers to point
0340	85 E1		STA	\$E1to line 11
0342	A9 14		LDA	#20and to
0344	85 E2		STA	\$E2position 20
0346	A0 03		LDY	#>STRING	point to the string
0348	A9 4E		LDA	#<STRING	..in Y,A registers
034A	20 27 CA		JSR	STROUT	go write the string
034D	00		BRK		
034E	41 42 43	STRING	ASC	'ABC'	
0351	00		DC	\$00	delineate string

You will note that the operating system's routines use the PET's ASCII character representation and not the representation required by the video display hardware.

The following table shows the correspondence between the mapped memory locations and the screen line numbers:

LINE NO	MEMORY LOC(\$E0-\$E1)	LINE NO	MEMORY LOC(\$E0-\$E1)
1	00 80	14	08 82
2	28 80	15	30 82
3	50 80	16	58 82
4	78 80	17	80 82
5	A0 80	18	A8 82
6	C8 80	19	D0 82
7	F0 80	20	F8 82
8	18 81	21	20 83
9	40 81	22	48 83
10	68 81	23	70 83
11	90 81	24	98 83
12	B8 81	25	C0 83
13	E0 81		

The cursor position registers may also be used for cursor positioning during input. Before using the routine RDT, the operating system's input routine with the cursor, you would set the cursor position registers with the desired values. The flashing cursor would then signal that input is required, but the cursor would be positioned at the screen position that you requested and not at the position which the PET wanted.

WRITE A SINGLE CHARACTER TO THE SCREEN

- 1) Load the accumulator with the character to be displayed.
- 2) Call subroutine WRT at \$FFD2

EXAMPLE-

033A	A9	41	LDA	#\$41	letter 'A' into Accum.
033C	20	D2	JSR	WRT	call WRT subroutine
033F	00		BRK		

WRITE A CHARACTER STRING TO THE SCREEN

- 1) String may be any length containing any characters but must end with X'00'.
- 2) Load the Y-register with the most significant byte of the string's beginning address
- 3) Load the Accumulator with the least significant byte of the string's beginning address
- 4) Call subroutine STROUT at \$CA27

EXAMPLE-

033A	A0	03	LDY	#>STRING	MSB of string addr
033C	A9	42	LDA	#<STRING	LSB of string addr
033E	20	27	CA	JSR	STROUT
					call STROUT subroutine
0341	00		BRK		
0342	41	42	43	STRING ASC	'ABCDEF'
0345	44	45	46		
0348	00			=\$00	

CLEAR THE SCREEN

1) Call subroutine CLSCR at \$E236

EXAMPLE-

033A	20	36	E2	JSR	CLRSCR	go clear the screen
033D	00			BRK		

CARRIAGE RETURN AND LINE FEED SCREEN

1) Call subroutine CRLF at \$C9D2

EXAMPLE-

033A	20	D2	C9	JSR	CRLF	go return carr./line feed
033D	00			BRK		

SCROLL SCREEN ONE LINE

1) Call subroutine SCROLL at \$E559

EXAMPLE-

033A	20	59	E5	JSR	SCROLL	go scroll screen
033D	00			BRK		

GET A CHARACTER FROM THE KEYBOARD

- 1) Call subroutine GET at \$FFE4
- 2) If zero flag is set then no key was depressed.
Go to step 1)
- 3) If zero flag is not set then key was depressed.
The value of the key depressed is now in the accumulator.

EXAMPLE-

033A	20	E4	FF	GETLP	JSR	GET	call GET subroutine
033D	F0	FB			BEQ	GETLP	if no key drepressed-goback
033F	20	D2	FF		JSR	WRT	repeat character on screen
0342	00				BRK		

INPUT FROM THE KEYBOARD

- 1) Initialize the X-register for keeping count of the number of characters inputted.
- 2) Call subroutine RDT at \$FFCF
- 3) ASCII code of inputted character will be returned in the accumulator
- 4) If "end of input" character has been inputted (usually the return key = X'0D') then go to step 8
- 5) Store accumulator value into an input buffer (the memory locations from \$000A to \$005A may be used).
- 6) Increment the X-register.
- 7) Go to step 2
- 8) Input now is in your input buffer with length of the string in X-register.

EXAMPLE-

ADDRESS	OPERANDS	INSTRUCTIONS	COMMENTS
		BUFFER=\$000A	
033A	A2 00	LDX #00	zero length register
033C	20 CF FF INPUT	JSR RDT	call input subroutine
033F	C9 0D	CMP #\$0D	end of input char.?
0341	F0 06	BEQ DONE	yes-branch around
0343	95 0A	STA BUFFER,X	no-save character
0345	E8	INX	increment length
0346	4C 3C 03	JMP INPUT	go back for more
0349	A9 0A DONE	LDA #<BUFFER	point A,Y to the
034B	A0 00	LDY #>BUFFER	..input buffer
034D	20 27 CA	JSR STROUT	repeat string on screen
0350	4C 8B C3	JMP READY	go back to BASIC

* Note --- I was not able to run this routine under the machine language monitor supplied by COMMODORE. It seems that the monitor inteferes with the input routine RDT. You may use the monitor to load memory with the above program. After loaded type the X-command to return to BASIC then enter the command SYS(826).

USR FUNCTION

The USR function provides a technique for calling a machine language routine from a BASIC program. The format of the function is:

```
100 B=USR(A)
```

where A is the argument to be passed
to the machine language routine
and where B is the function to be returned
to the BASIC program from the
machine language routine.

To use a USR function:

- 1) Load the machine language routine into memory by poking, loading from tape or using a monitor.
- 2) Set up the USR vector by placing the entry point of the machine language routine into memory locations \$0001 (LSB) and \$0002(MSB).
- 3) Assign a value to the variable to be passed to the machine language routine as the argument(A in the above example).
- 4) Call the machine language routine using the USR function.
- 5) The machine language routine will compute its function and place it into the floating point accumulator(\$B0-\$B4).
- 6) The function value in the floating point accumulator is assigned to the variable on the left-hand side of the USR call(B in the above example).

EXAMPLE:

PET BASIC does not have a logarithm function for base 10. It does have a logarithm function for base e. We can use the following equality to produce the base 10 logarithm.

$$\text{LOG}_{10}(x) = \text{LOG}_e(x) * \text{LOG}_{10}(e)$$

Although this is a very simple example which could very easily be implemented entirely in BASIC, we will create a short machine language routine which demonstrates the USR function.

First we must load the following machine language routine into memory (use the machine language monitor to insert the code beginning at memory location X'33A').

ADDR	VALUE	LABEL	OPC	OPER	COMMENTS
033A	20 BF D8	LOG10	JSR	LOGE	call LOG _e of FPAC
033D	A0 03		LDA	#>CONST	point to constant
033F	A9 48		LDY	#<CONST	..in A, Y
0341	20 5E D9		JSR	MVAFAC	move CONST to AFAC
0344	20 00 D9		JSR	FPMULT	FPAC = FPAC * AFAC
0347	60		RTS		return to BASIC
0348	7F 5E 5B	CONST	=	\$7F5E5BD89A	.43429448 (log ₁₀ (e))
034B	D8 9A				

Then we create the BASIC program:

```

10 POKE 1,58:                REM      SET UP THE USR
20 POKE 2,3:                  REM      ...FUNCTION VECTOR
30 A=6027:                    REM      ARGUMENT VALUE
40 B=USR(A):                  REM      CALL MACHINE LANGUAGE ROUT.
50 PRINT"LOG OF";A;"IS";B:    REM      PRINT OUT ANSWER
60 END
RUN

```

```

LOG OF 6027 IS 3.78010118
READY.

```

When BASIC encounters statement 40, it evaluates the argument A and places it into the floating point accumulator. Next a linkage is set up so that control is passed back to the USR function for evaluation of B after the machine language routine completes. Finally control is passed to the machine language routine.

The machine language routine does the following:

- 1) The argument passed from BASIC has already been placed into the floating point accumulator. Subroutine LOGE is called (at \$D8BF) to compute the natural logarithm of this function. The result is left in the floating point accumulator.
- 2) A pointer is set up in the A and Y registers for the subroutine MVAFAC which will move the value pointed to by A,Y into the alternate floating point accumulator. Subroutine MVAFAC is called (at \$D95E) thereby placing the constant (log₁₀(e)) into the alternate floating point accumulator.

- 3) Subroutine FPMULT is called to compute the product of the floating point accumulator and the alternate floating point accumulator with the result being left in the later. Thus the floating point accumulator contains the logarithm in base 10 of the argument which was passed to the machine language routine.
- 4) Since the product is already in the floating point accumulator (where BASIC expects the function to be), we execute a return from subroutine to go back to the BASIC program. B is evaluated in statement 40 by assigning to it the value from the floating point accumulator. Execution continues with the remainder of the BASIC program.

In this case, when we run the program we find that the function returned to our BASIC program is 3.78010118. We can verify the answer by directly entering the command:

PRINT 10↑B which prints a result of 6026.99979, the difference being caused by conversion and rounding .

NUMBER REPRESENTATION

PET BASIC uses two methods of representing numbers internally. They are referred to as fixed point representation and floating point representation. Each has its advantages and disadvantages and will be discussed separately. The fixed point numbers are the easier of the two to understand and will be introduced first.

FIXED POINT NUMBERS

Fixed point numbers are often referred to as integers. Variables of this type may assume only integer values, that is they may not have any fractional portions. Fixed point variables are specified by using a variable name with a '%', such as A% or B2%. A fixed point number is stored in two memory locations inside the PET. Another way of putting this is that 16 bits are required for each fixed point representation. One of these bits is the sign bit. Variables may therefore range in value from -32768 to +32767.

The high order bit is called the sign bit. A zero in this position indicates a positive number, while a one in this position indicates a negative number. The remaining 15 bits represent the magnitude of the number. Positive numbers are represented in true binary form. Negative numbers are represented in two's complement form.

EXAMPLE-

What is the fixed point representation of +1000?

$1000_{10} =$

↓	sign bit	↓	true binary	↓
0000	0011	1110	1000	
└───┘	└───┘	└───┘	└───┘	
MSB		LSB		

 $= \text{X}'03\text{E8}'$

What is the fixed point representation of -1000?

$$-1000_{10} = \begin{array}{c} \text{sign bit} \\ \downarrow \\ \text{two's complement} \\ \hline 1111 \ 1100 \ 0001 \ 1000 \\ \hline \text{MSB} \qquad \qquad \text{LSB} \end{array} = \text{X'FF18'}$$

Fixed point numbers as used in PET BASIC have a 15 bit precision and would normally require only two memory locations. However single(non-array) fixed point variables actually occupy five memory locations thus wasting the remaining tree. Arrays of fixed point numbers occupy only two memory locations for each element with no waste.

You can save memory by using arrays of fixed point numbers if the limited range in values is suitable for your application. We can demonstrate the savings of memory between fixed and floating point numbers in two short programs.

```
10 REM   ***FIXED POINT EXAMPLE***
20 DIM A%(100)
30 PRINT FRE(0)
RUN
6931
```

```
10 REM   ***FLOATING POINT EXAM***
20 DIM AA(100)
30 PRINT FRE(0)
RUN
6628
```

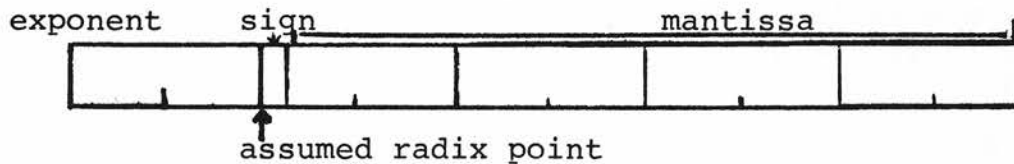
In each example we merely dimensioned two arrays and then displayed the amount of free space that remained. The difference in free memory locations is $6931 - 6628 = 303$. The savings in memory of the fixed point program over the floating point program is the result of saving 3 memory locations for each fixed point element in the array (100 elements + 0th element).

Arithmetic operations using fixed point numbers are faster than when using floating point numbers. The 6502 instructions for addition and subtraction are designed to operate directly with numbers represented in the fixed point format.

FLOATING POINT NUMBERS

Floating point variables may assume fractional as well as integer values. They are useful because they may take on values with a very wide range. Floating point variables are specified by default. If they are not integer('%') nor string('\$') then the variable is assumed to be of the floating point type. Each floating point number occupies five memory locations inside the PET whether it be a single element or an array.

The format of a floating point number is as follows:



The exponent occupies one memory location. The exponent is a power of two but is stored in excess 128 notation. This means that 128 has been added to the true exponent to allow for the easier handling of negative exponents. Thus if the exponent of a number is 16, then you would add 128 yielding 144 = X'90'. This last value, X'90' would be stored as the floating point exponent. Similarly if the exponent of a number is -12, then you would add 128 yielding 116 = X'74' which you would store as the floating point exponent.

The mantissa is the fractional part of the floating point number. It is always normalized. This means that the fraction has been adjusted and the exponent likewise adjusted until the most significant binary digit of the mantissa is to the right of the assumed radix point.

Since PET BASIC always normalized the mantissa, the leftmost bit of the fraction is always a one. This is redundant and so the position is used for another purpose. This bit is used as the sign bit for the number. Thus the

fraction has an "assumed" most significant bit. A zero sign bit indicates a positive floating point number, while a one sign bit indicates a negative floating point number.

The example below shows how you may derive the representation for a floating point number.

PROBLEM-What is the floating point representation for 1000_{10} ?

$$1) \quad \underset{\text{radix}}{1000_{10}} . = \underset{\text{radix}}{0000 \ 0011 \ 1110 \ 1000_2} . = X'03E8'$$

- 2) Shifting the radix point 10 positions to the left in order to normalize the fraction while raising the exponent by a power of 10 gives us:

$$.1111 \ 1010 \ 0000 \ 0000 \ * \ 2^{10}$$

- 3) The number is positive so we can set the sign bit to zero.

$$.0111 \ 1010 \ 0000 \ 0000 \ * \ 2^{10}$$

- 4) The exponent is 10, but in excess 128 notation the exponent is $10 + 128 = 138 = 100 \ 1010_2$

- 5) Combining the exponent and mantissa we find that the resultant appears as follows:

$$1000 \ 1010 \ 0111 \ 1010 \ 0000 \ 0000 \ 0000 \ 0000 \ 0000 \ 0000_2$$

which if restated in hexadecimal would be:

$$8A \ 7A \ 00 \ 00 \ 00$$

- 6) A negative value would have a sign bit of one. Thus -1000_{10} would be represented as:

$$1000 \ 1010 \ 1111 \ 1010 \ 0000 \ 0000 \ 0000 \ 0000 \ 0000 \ 0000_2$$

or in hexadecimal form:

$$8A \ FA \ 00 \ 00 \ 00$$

Of course PET BASIC carries the precision further than the examples above have shown, but the method is the same. As stated at the beginning of this section, floating point variables may take on an extremely wide range of values.

By experimenting with BASIC I have found what this range is for the PET.

```
PRINT 2↑126.99999995
```

```
1.70141174 E+38
```

```
PRINT 2↑-127
```

```
5.87747176 E-39
```

FLOATING POINT ARITHMETIC

The following descriptions are the fundamental arithmetic operations that PET BASIC performs on its floating point variables. The descriptions will allow you to use these routines from a machine language program.

ADDITION- $FACC = FACC + AFAC$

- 1) Place the first operand in the floating point accumulator.
- 2) Insure that the format of the number in the FACC is non-true binary. The most significant bit of \$B1 must be off if the number is positive or on if negative and the sign bit of \$B5 must be off if positive and on if negative.
- 3) Place the second operand in the alternate floating point accumulator.
- 4) Insure that the format of the number in the AFAC is non-true binary. The most significant bit of \$B9 must be off if the number is positive or on if negative and the sign bit of \$BD must be off if positive and on if negative.
- 5) Call subroutine FPADD at \$D73F.
- 6) The sum will be found in the floating point accumulator.

SUBTRACTION- $FACC = AFAC - FACC$

- 1) Place the subtrahend into the alternate floating point accumulator.
- 2) Insure that the format of the number in the AFAC is non-true binary.
- 3) Place the minuend into the floating point accumulator.
- 4) Insure that the format of the number in the FACC is non-true binary.
- 5) Call subroutine FPSUB at \$D728.
- 6) The difference will be found in the floating point accumulator.

MULTIPLICATION- $FACC = AFAC * FACC$

- 1) Place the multiplicand into the alternate floating point accumulator.
- 2) Insure that the format of the number in the AFAC is non-true binary.
- 3) Place the multiplier into the floating point accumulator.
- 4) Insure that the format of the number in the FPAC is non-true binary.
- 5) Call subroutine FPMULT at \$D900.
- 6) The product will be found in the floating point accumulator.

DIVISION- $FACC = AFAC / FACC$

- 1) Place the dividend into the alternate floating point accumulator.
- 2) Insure that the format of the number in the AFAC is non-true binary.
- 3) Place the divisor into the floating point accumulator.
- 4) Insure that the format of the number in the FACC is non-true binary.
- 5) Call subroutine FPDIV at \$D9E4.
- 6) The quotient will be found in the floating point accumulator.

EXPONENTIATION- $FACC = AFAC \quad FACC$

- 1) Place the base into the alternate floating point accumulator.
- 2) Insure that the format of the number in the AFAC is non-true binary.
- 3) Place the exponent into the floating point accumulator.
- 4) Insure that the format of the number in the FACC is non-true binary.
- 5) Call subroutine FPEXP at \$DE2E.
- 6) The result will be found in the floating point accumulator.

ARITHMETIC FUNCTIONS

The following descriptions are the arithmetic functions that PET BASIC performs on its floating point variables. The descriptions will allow you to use these routines from a machine language program.

ABS - compute the absolute value of the argument

- 1) Place the floating point argument into the floating point accumulator.
- 2) Call the subroutine ABS at \$DB2A.
- 3) Function is returned in the floating point accumulator.

ATN - compute the arctangent of the argument

- 1) Place the floating point argument into the floating point accumulator.
- 2) Call the subroutine ATN at \$E048.
- 3) Function (expressed in radians) is returned in the floating point accumulator.

COS - compute the cosine of the argument.

- 1) Place the floating point argument (expressed in radians) into the floating point accumulator.
- 2) Call the subroutine COS at \$DF9E.
- 3) Function is returned in the floating point accumulator.

EXP - compute the exponential function of an argument.

- 1) Place the floating point argument into the floating point accumulator.
- 2) Call the subroutine EXP at \$DEA0.
- 3) Function is returned in the floating point accumulator.

INT - computes the largest integer less than or equal to the floating point argument.

- 1) Place the floating point argument into the floating point accumulator.
- 2) Call the subroutine INT at \$DB9E.
- 3) Function is returned in the floating point accumulator.

LOG - computes the natural logarithm of an argument.

- 1) Place the floating point argument into the floating point accumulator.
- 2) Call the subroutine LOG at \$D8BF.
- 3) Function is returned in the floating point accumulator.

SIN - computes the sine of an argument.

- 1) Place the floating point argument (expressed in radians) into the floating point accumulator.
- 2) Call the subroutine SIN at \$DFA5.
- 3) Function is returned in the floating point accumulator.

SQR - computes the square root of an argument.

- 1) Place the floating point argument into the floating point accumulator.
- 2) Call the subroutine SQR at \$DE24.
- 3) Function is returned in the floating point accumulator.

TAN - computes the tangent of an argument.

- 1) Place the floating point argument (expressed in radians) into the floating point accumulator.
- 2) Call the subroutine TAN at \$DFEE.
- 3) Function is returned in the floating point accumulator.

CONVERT INTEGER TO FLOATING POINT

- 1) Load the Y-register with the least significant byte of the integer to be converted.
- 2) Load the Accumulator with the most significant byte of the integer to be converted.
- 3) Call subroutine INTFLP at \$D278.
- 4) The floating point number is returned in the floating point accumulator \$B0-\$B4 with the sign in a separate location \$B5. A zero in the most significant bit of \$B5 indicates a positive number while a one in the bit indicates a negative number. Note that the mantissa is in true binary form (normalized bit is not assumed).

EXAMPLE-

ADDR	VALUE	LABEL	OPC	OPERAND	COMMENTS
033A	D8		CLD		set to binary mode
033B	AD 51 03		LDA	INT+1	least significant
033E	A8		TAY		..byte to Y-register
033F	AD 50 03		LDA	INT	most sign. byte in Accum.
0342	20 78 D2		JSR	INTFLP	call INTFLP subroutine
0345	00		BRK		
.					
0350	03 E8	INT	WORD	1000	

RESULT-

		\$B0	\$B1	\$B2	\$B3	\$B4	\$B5
+1000	03E8 - 8A	FA	00	00	00	00	00
-1000	FC18 - 8A	FA	00	00	00	00	FF

CONVERT FLOATING POINT TO INTEGER

- 1) Place floating point number into the floating point accumulator \$B0-\$B4.
- 2) Set \$B1 most significant bit on to make the number a true binary representation.
- 3) Place the sign of the number into the floating point sign location \$B5. A zero in the most significant bit of \$B5 indicates a positive number while a one in the bit indicates a negative number.
- 4) Call subroutine FLPINT at \$D0A7.
- 5) The integer will be returned at location \$B3-\$B4 in true binary form if positive or in two's complement form if negative.

EXAMPLE-

ADDR	VALUE	LABEL	OPC	OPERAND	COMMENTS
		FPAC	EQU	\$00B0	
033A	D8		CLD		insure binary mode
033B	A2 00		LDX	#00	zero X-index reg
033D	86 B5		STX	\$B5	set FP sign to positive
033F	BD 60 03	LOOP	LDA	FPNUM,X	load part of FP number
0342	95 B0		STA	FPAC,X	store in FP accumulator
0344	E8		INX		incrm. index reg.
0345	E0 05		CPX	#05	are we done?
0347	D0 F6		BNE	LOOP	no-go back for more
0349	A9 80		LDA	#\$80	mask into accum.
034B	0D 61 03		ORA	FPNUM+1	OR in the rest of byte
034E	85 B1		STA	FPAC+1	make true binary
0350	A9 80		LDA	#\$80	pick up mask
0352	2D 61 03		AND	FPNUM+1	AND to determine sign
0355	F0 02		BEQ	POSIT	skip if positive
0357	C6 B5		DEC	\$B5	set sign to \$FF
0359	20 A7 D0	POSIT	JSR	FLPINT	call FLPINT subroutine
035C	00		BRK		

RESULT-

		+1000		-1000
FPNUM	8A 7A 00 00 00		8A FA 00 00 00	
FPAC	8A FA 00 00 00 00		8A FA 00 00 00 FF	
AFTER	03 E8		FC 18	

Location-\$B0 B1 B2 B3 B4 B5 \$B0 B1 B2 B3 B4 B5

CONVERT ASCII NUMBER STRING TO INTEGER

- 1) The number to be converted must be in ASCII format with a value less than 64000. The last character must be a blank.
- 2) Set the program pointer at \$00C9-00CA to point to the ASCII string - 1.
- 3) Call subroutine CHRGET at \$00C2.
- 4) Call subroutine ASCINT at \$C863.
- 5) The fixed point number will be returned at memory location \$0008-\$0009 (LSB,MSB)

EXAMPLE-

ADDR	VALUE	LABEL	OPC	OPERAND	COMMENTS
033A	A2 4F		LDX	#<NUMBER-1	set up pointer
033C	86 C9		STX	\$C9	.at \$C9-\$CA to
033E	A2 03		LDX	#>NUMBER-1	..point just behind
0340	86 CA		STX	\$CA	...ASCII number
0342	20 C2 00		JSR	CHRGET	go scan string
0345	20 63 C8		JSR	ASCINT	go convert to integer
0348	00		BRK		
.					
.					
0350	31 32 33		ASC	'1234 '	string to convert
0353	34 20				

RESULT- \$0008-\$0009 will contain D6 04 (LSB,MSB)

CONVERT ASCII TO FLOATING POINT

Through my experiments over the past few months, I have not found a direct way to convert a number from its ASCII representation to floating point representation. However the following method may be used as an alternate way to convert to floating point representation.

The method is based upon the BASIC USR function which is described elsewhere in this guide. The USR function evaluates an argument, converts it to floating point representation and places it into the floating point accumulator before giving control to a machine language routine. If you could examine the floating point accumulator after the evaluation of the argument then you would have let BASIC do the conversion for you.

The following BASIC program places a short machine language routine into the second cassette buffer. This routine moves the contents of the floating point accumulator to a save area where it may later be examined by the BASIC program. It is necessary to relocate the contents of the floating point accumulator because upon return to BASIC from the machine language routine its contents will be destroyed by subsequent BASIC statement execution.

The machine language routine is as follows:

ADDR	VALUE	LABEL	OPC	OPER	COMMENTS
		FPAC	EQU	\$00B0	
033A	A2 05		LDX	#05	set up to save 6 locations
033C	B5 B0	LOOP	LDA	FPAC,X	load FPAC indexed by X-reg
033E	9D 47 03		STA	SAVE,X	save value in "safe" place
0341	CA		DEX		decrement X-reg index
0342	10 F8		BPL	LOOP	if positive or
0344	F0 F6		BEQ	LOOP	..or zero keep saving
0346	60		RTS		otherwise return to BASIC
0347	00 00 00	SAVE	=	\$00000000000000	save area
034A	00 00 00				

The BASIC program which will place the machine language routine into the second cassette buffer and then display the converted numbers is shown below:

```

10 FOR I=0 TO 18:          REM  MACHINE LANG.ROUT. 19 LOCATIONS
20 READ XX:                REM  READ VALUE TO BE POKED
30 POKE 826+I,XX:          REM  POKE ROUTINE INTO CASSETTE BUFF.
40 NEXT I
50 DATA 162,5,181,176,157,71,3
60 DATA 202,16,248,240,246,96
70 DATA 0,0,0,0,0,0
80 DIM B%(5)
90 HEX$="0123456789ABCDEF": REM  STRING FOR HEX CONVERSION
100 PRINT"(clr)ASCII TO FLOATING POINT DISPLAY"
110 PRINT:PRINT:PRINT"NUMBER TO CONVERT  F.P. VALUE":PRINT
120 POKE 1,58: POKE 2,3:   REM  SETUP USR FUNCTION VECTOR
130 INPUT A:               REM  READ A VALUE TO BE CONVERTED
140 PRINT"(cu)";TAB(20);
150 X=USR(A):              REM  GO SAVE F.P. NUMBER
160 FOR I=0 TO 5:          REM  LOOP FOR RETRIEVING SAVED VALUES
170 B%(I)=PEEK(839+I)      REM  MOVE TO ARRAY B%
180 NEXT I
190 FOR I=0 TO 4
200 IF I=1 AND B%(5)<128 THEN B%(1)=B%(1)-128: REM  CONVERT
SIGN BIT FROM SECOND BYTE
210 XH%=B%(I)/16:          REM  CONVERT B-ARRAY TO HEX CHAR.
220 XL%=B%(I)-(XH%*16):    REM  " " " " "
230 XH$=MID$(HEX$,XH%+1,1): REM  " " " " "
240 XL$=MID$(HEX$,XL%+1,1): REM  " " " " "
250 XX$=XH$+XL$+" "
260 PRINT XX$;:           REM  DISPLAY CONVERTED VALUE
270 NEXT I
280 GOTO 130
READY.
RUN

```

ASCII TO FLOATING POINT DISPLAY

NUMBER TO CONVERT	F.P. VALUE
? 1000	8A 7A 00 00 00
? -1000	8A FA 00 00 00
? 6027	8D 3C 58 00 00
? 1.524	81 43 12 6E 97
? 1.5E12	A9 2E 9F 7B CC
? 1.5E-12	59 53 1B 32 10
? -1.5E-12	59 D3 1B 32 10

CONVERT FLOATING POINT NUMBER TO ASCII

- 1) Place floating point number into the floating point accumulator \$B0-\$B4.
 - 2) Set \$B1 most significant bit on to make the number a true binary representation.
 - 3) Place the sign of the number into the floating point sign location \$B5. A zero in the most significant bit indicates a positive number while a one in the bit indicates a negative number.
 - 4) Call subroutine FLPASC at \$DCAF.
 - 5) ASCII representation will be found beginning at location \$100 and continuing until X'00' character.
- * Note that the routine MVFACC will move the FP number to the floating point accumulator, generate the proper sign and make the number true binary.

ADDR	VALUE	LABEL	OPC	OPERAND	COMMENTS
033A	D8		CLD		insure binary mode
033B	A9 03		LDA	#>FPNUM	MSB of FP number addr
033D	85 71		STA	\$71	save in pointer
033F	A9 58		LDA	#<FPNUM	LSB of FP number addr
0343	20 78 DA		JSR	MVFACC	call sub. to move to FPAC
0346	20 AF DC		JSR	FLPASC	convert to ASCII
0349	A0 01		LDY	#01	point A,Y to
034B	A9 00		LDA	#00	..\$0100
034D	20 27 CA		JSR	STROUT	print string on screen
0350	00		BRK		
.					
.					
0358	8A 7A 00	FPNUM FP		'+1000'	
035B	00 00				

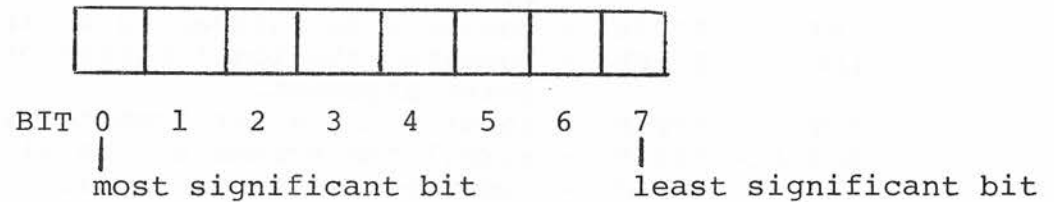
ROUTINES THAT ARE
IDENTIFIED IN THIS MANUAL

ABS	- \$DB2A	- computes the absolute value of the floating point argument.
ACSINT-	\$C863	- converts ASCII string to integer.
ATN	- \$E048	- computes the arctangent of the floating point argument.
CLRSCR-	\$E236	- clears the screen.
COS	- \$DF9E	- computes the cosine of the floating point argument.
CRLF	- \$C9D2	- forces a carriage return and line feed.
EXP	- \$DEA0	- computes the exponential function of a floating point argument.
FLPASC-	\$DCAF	- converts floating point to ASCII string.
FLPINT-	\$D0A7	- converts floating point to integer.
FPADD	- \$D73F	- adds two floating point numbers.
FPDIV	- \$D9E4	- divides one floating point number by another.
FPEXP	- \$DE2E	- computes the value of one floating point number raised to a second floating point num.
FPMULT-	\$D900	- multiplies two floating point numbers.
FPSUB	- \$D728	- subtracts one floating point number from another.
GET	- \$FFE4	- get a character from the keyboard.
INT	- \$DB9E	- computes the integer function of a floating point argument.
INTFLP-	\$D278	- converts an integer to floating point.
LOG	- \$D8BF	- computes the log function of a floating point argument.
RDT	- \$FFCF	- input a character from the screen with cursor.
SCROLL-	\$E559	- scroll the screen up one line.
SIN	- \$DFA5	- computes the sine of floating point argument.
SQR	- \$DE24	- computes the square root of a floating point argument.
STROUT-	\$CA27	- write a character string to the screen.
TAN	- \$DFEE	- computes the tangent of a floating point argument.
WRT	- \$FFD2	- write a character to the screen.

ABBREVIATIONS
THAT ARE USED IN THIS MANUAL

AFAC - alternate floating point accumulator
(CLR) - symbol for clear screen character
(CD) - symbol for cursor down character
(CU) - symbol for cursor up character
LSB - least significant byte
MSB - most significant byte
\$ - symbol indicating that the following numbers
are in hexadecimal representation.

BIT CONVENTION



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PET INFORMATION

- PET GAZETTE, 1929 Northport Dr. Room 6, Madison WI 53704, free
- PET USER MANUAL, Commodore Business Machines, 901 California Ave., Palo Alto, CA 94303, free with the PET, otherwise \$10.
- PET USER NOTES, P.O. Box 371, Montgomeryville, PA 18936, \$6.00/year (six issues).
- SPHINX PET NEWSLETTER, Lawrence Hall of Science, Computer Project, University of California, Berkeley, CA 94720, \$4.50/year(six issues).

